



Intermediate and transitional scale structure in
midlatitude E_s layers

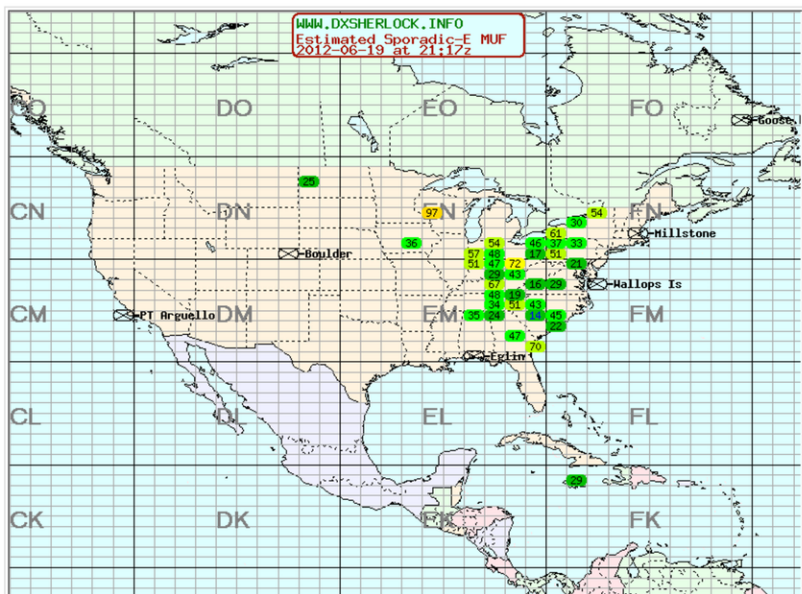
D. L. Hysell¹, E. Nossa¹, M. F. Larsen², M. P. Sulzer³, and
S. A. Gonzalez³

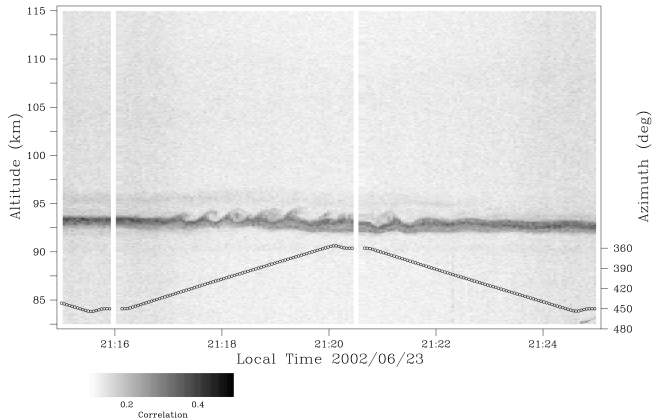
(1) Cornell University (2) Clemson University (3) Arecibo Observatory

June, 2012

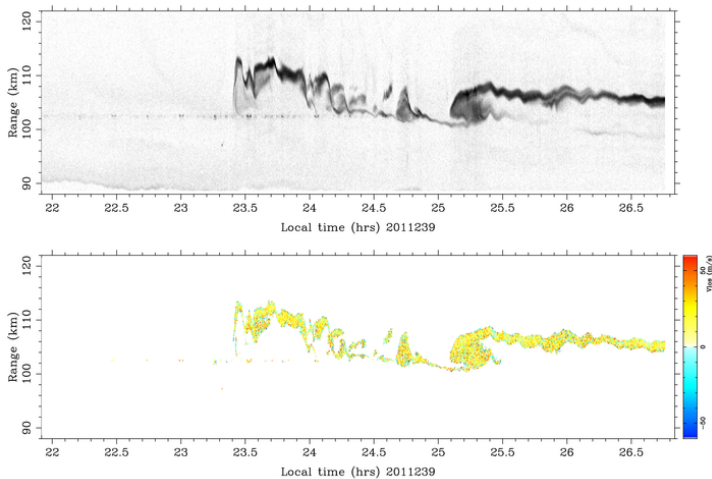
| scale | size | feature |
|--------------|----------|------------------------|
| large | 100's km | layers |
| intermediate | 10's km | rolls |
| transitional | few km | primary plasma waves |
| small | few m | secondary plasma waves |

large scales

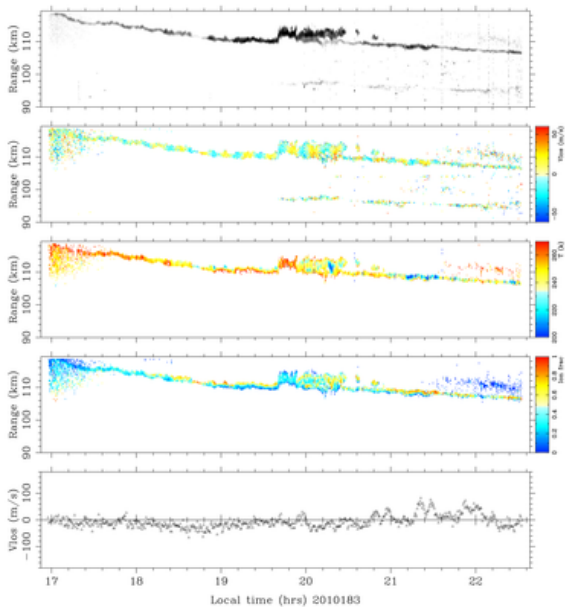




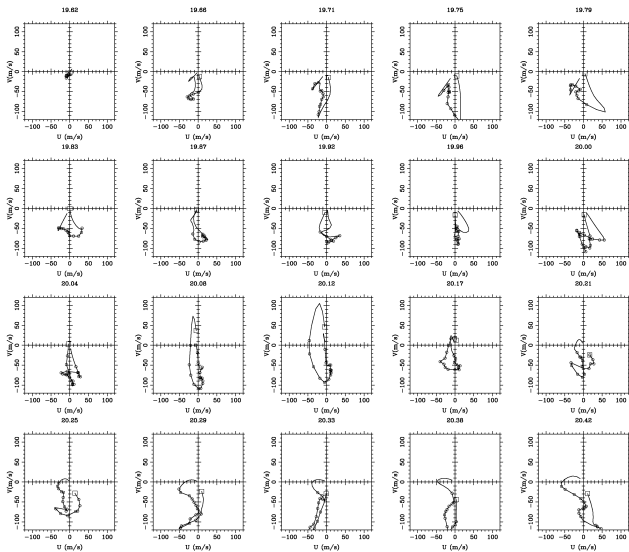
intermediate scales



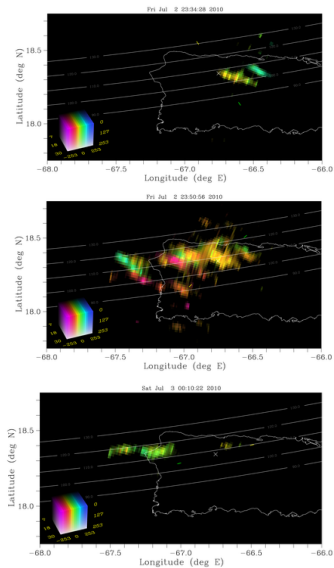
intermediate scales



neutral wind hodograms



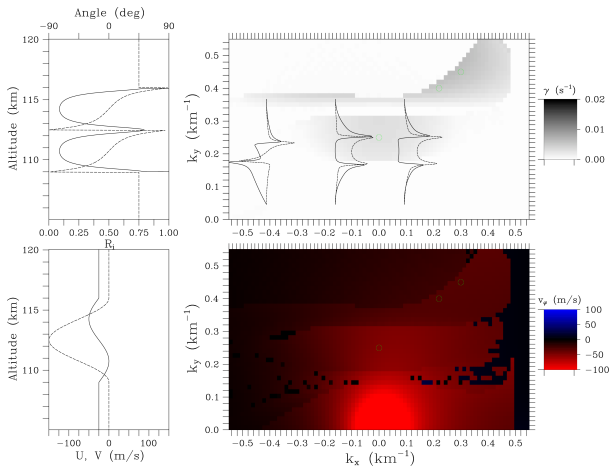
coherent scatter picture



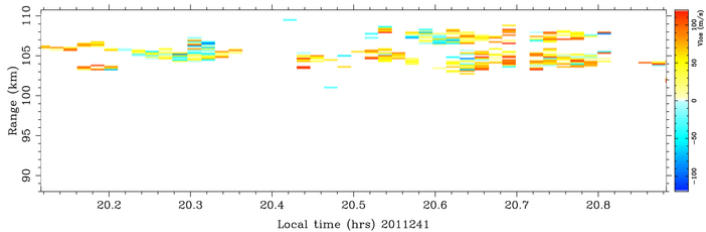
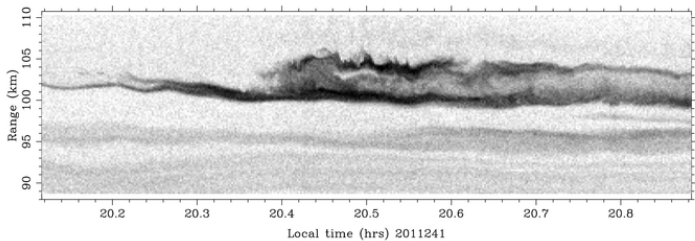
$$\psi'' + \left(\frac{N^2}{W^2} - \frac{W''}{W} - k^2 \right) \psi = 0$$

$$W \equiv (k_x U + k_y V - w)/k$$

eigenvalue problem



transitional scales



$$\frac{\partial n}{\partial t} + \underbrace{\mathbf{v}_e \cdot \nabla_{\perp} n}_{\text{ExB, gd}} + \underbrace{n \nabla_{\perp} \cdot \mathbf{v}_e}_{\text{FB}} = 0, \quad k_{\parallel} = 0$$

$$= k_{\parallel}^2 n_o |\mu_{e\parallel}| \phi$$

$$\phi = \frac{ik_{\perp}(\mu_x E_o - \mu_{\perp} E_p) - D_{\perp} k_{\perp}^2 - D_{\parallel} k_{\parallel}^2}{\mu_{\perp} k_{\perp}^2 + \mu_{\parallel} k_{\parallel}^2 - ik_{\parallel} \mu_{\parallel} / L} \frac{n}{n_o}$$

$$\lambda_{\perp}(\text{max growth}) = 4\pi L \sqrt{\psi}$$

$$\gamma \propto k_{\perp} \mu_{i\perp} E$$

$$\omega_r = \frac{3}{4}\mu_{\perp i}\mathbf{k}_{\perp} \cdot \mathbf{E}_o + \left(\frac{1}{4}\mu_{\perp i}\frac{\mu_{\times}}{\mu_{\perp}} - \mu_{\times i}\right) (\mathbf{k}_{\perp} \times \mathbf{E}_o) \cdot \hat{b}$$

$$- \frac{1}{4}\frac{\mu_{\perp i}}{\mu_{\perp}} \left(k_{\perp}^2 D_{\perp} + k_{\parallel}^2 D_{\parallel}\right)$$

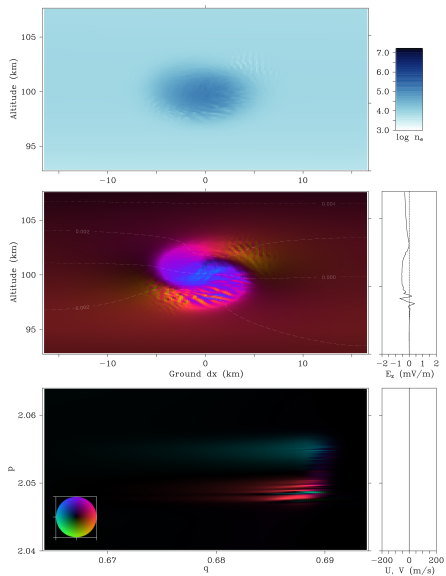
$$\gamma = \frac{1}{4}\mu_{\perp i} \left[-\mathbf{k}_{\perp} \cdot \mathbf{E}_o + \frac{\mu_{\times}}{\mu_{\perp}} (\mathbf{k}_{\perp} \times \mathbf{E}_o) \cdot \hat{b}\right] - D_{\perp a} k_{\perp}^2 - D_{\parallel a} k_{\parallel}^2$$

given

$$\mu_{\perp} k_{\perp}^2 = \mu_{\parallel} k_{\parallel}^2$$

$$k_{\parallel} L = 1/2$$

3D numerical simulation



- *E*-region coherent scatter occurrence modulated by MSTIDs
- *E*-layer rolls unaffected by MSTIDs
- Most likely coupling via field-aligned currents, current closure

- Roll-like deformations in E_s layers consistent with neutral dynamic instability.
- Kilometer-scale waves in the layers consistent with collisional drift-wave instability.
- The roll-like deformations are prone to produce large polarization electric fields which drive the drift waves, particularly when some (but not too much) current is allowed to close through the E region.