

Suggested “Standard” Model Simulations for Comparison

- First look at the “*climatological*” global T-I AO and SAO produced by the models “*out-of-the-box*” for a continuous yearlong simulation.
 - 1) External Forcing
 - i. **Constant moderate solar conditions** (model dependent, done in NCAR TGCMs using F10.7)
 - ii. **Constant quiet geomagnetic conditions** (e.g., Kp =1 to eliminate IAVs in geomagnetic activity)
 - iii. **Include model wave forcing** including planetary waves, tides, gravity waves including model’s native gravity wave parameterization (if applicable).
 - 2) Output fields needed directly from model or calculated in post-processing should be saved in 3D or 4D with preferably and 1 hr cadence:
 - i. Temperature, Mass and Electron Density
 - ii. Composition: O, O₂, N₂, He, O/N₂, O⁺
 - iii. Neutral Winds: U, V, W, ω
 - iv. E x B drifts: U, V, W
 - v. Ionosphere: $N_m F_2$, $h_m F_2$, TEC
 - vi. Other: K_{zz} , K_T , variables to calculate molecular diffusion coefficients

Metrics for calculating Intra-annual Variations → AO and SAO amplitudes

$\bar{y}(\theta, z, t)$ = zonal and diurnal average quantity $\bar{y}(\theta, z)_t$ = zonal and annual average quantity

$$\Delta y(\theta, z, t) = \frac{\bar{y}(\theta, z, t) - \bar{y}(\theta, z)_t}{\bar{y}(\theta, z)_t} = \text{Intra-annual variation in a zonal and diurnal average quantity relative to their **local (latitude-dependent) annual averages**}$$

$\langle y(z, t) \rangle$ = global (cosine-weighted) and diurnal average quantity = $y_g(z, t)$

$\langle y(z) \rangle_t$ = global (cosine-weighted) and annual average quantity = $y_{g,t}(z)$

$$\Delta y_g(z, t) = \frac{y_g(z, t) - y_{g,t}(z)}{y_{g,t}(z)} = \text{Intra-annual variation in a global and diurnal average quantity relative to their **global annual averages**}$$

$$\Delta y(\theta, z, t) = \frac{\bar{y}(\theta, z, t) - y_{g,t}(z)}{y_{g,t}(z)} = \text{Intra-annual variation in a zonal and diurnal average quantity relative to their **global annual averages**}$$

Metrics for determining the combined dynamical, chemical, and diffusive forcing of the T-I AO and SAO

- Parameters derived to explain species vertical distribution relative to diffusive equilibrium:

1. Hydrostatic contribution (gravitational contribution)
2. Ideal gas law contribution (temperature contribution)
3. Dynamics
4. Chemistry

$$m_i^{eff} = \bar{m} \left[\frac{d(\ln n_i)}{d(\ln p)} + \frac{d(\ln T)}{d(\ln p)} \right] = \text{Effective mass} \quad \Sigma[\bar{y}(\theta, z, t)] = \int_{z_1}^{z_2} [\bar{y}(\theta, z, t)] dz = \text{Column species density}$$

(see Jones et al. [2018] for a description)

$$P = 28 \ln [O] - 16 \ln [N_2] + 12 \ln T = \text{P-Parameter} \quad (\text{see Rishbeth et al. [1987] for a description})$$

$$\frac{1}{H_{\rho i}^*} = -\frac{1}{\rho_i} \frac{\partial \rho_i}{\partial z}$$

Actual density scale height of species i

$$\frac{1}{H_{\rho i}} = \frac{1}{H_{P i}} + \frac{1}{H_{m i}} + \frac{1}{H_{T i}}$$

Density scale height of species i in diffusive equilibrium

$$\frac{1}{H_{\rho}} = \frac{1}{H_P} + \frac{1}{H_m} + \frac{1}{H_T}$$

Total mass density scale height in diffusive equilibrium

$$\frac{1}{H_T} = \frac{1}{T} \frac{\partial T}{\partial z} \quad \frac{1}{H_m} = -\frac{1}{m} \frac{\partial m}{\partial z} \quad H_{P i} = \frac{kT}{m_i g}$$

(see Thayer et al. [2012] and Liu et al. [2014] for a description)

Suggested Metrics to be Calculated from Model Simulations

- ***Global Mass Density IAVs at 250, 400, and 550 km (GAMDM Altitudes)***
 - i. AO and SAO Amplitudes
- ***$N_m F_2$ and TEC IAVs***
 - i. AO and SAO Amplitudes
- ***O, N₂, and O₂, Temperature, K_{zz}, Mass Density, Electron Density → 4D Distributions***
- ***For models with high LBCs (TIE-GCM and GITM)***
 - i. Lower Boundary Conditions
 - a) Momentum
 - b) Mass/Constituents
 - c) Energy
 - d) Eddy Diffusion