

# Contribution of small-scale field variation to the high-latitude energy input estimation

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UNM

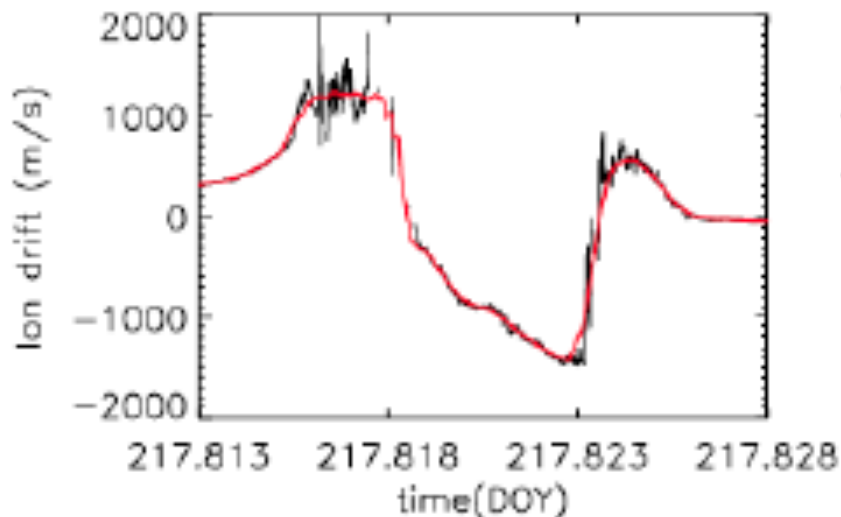
Jun 21, 2017



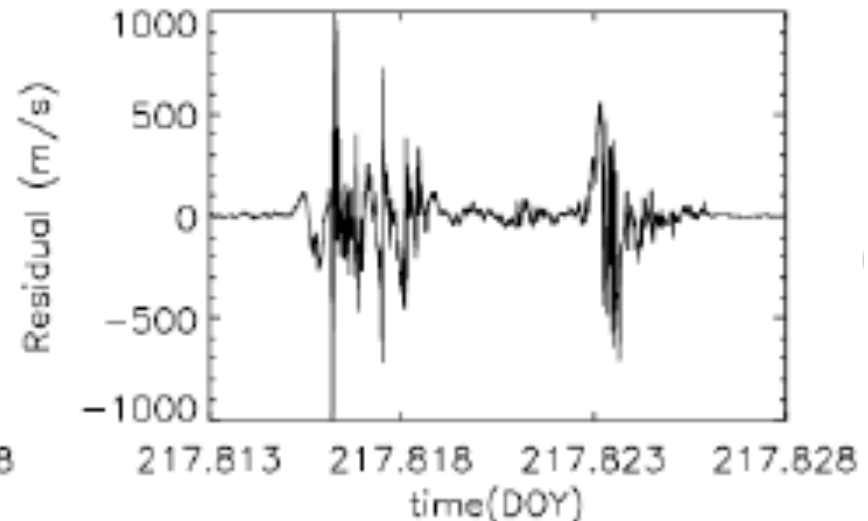
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# Calculating small-scale variations

- In reality, a field variation consists of a spectrum of various scales in time and space.
- The small-scale variation is obtained as the residual field between original data (1-sec DMSP F16 data) and the 5° latitude window averaged field.

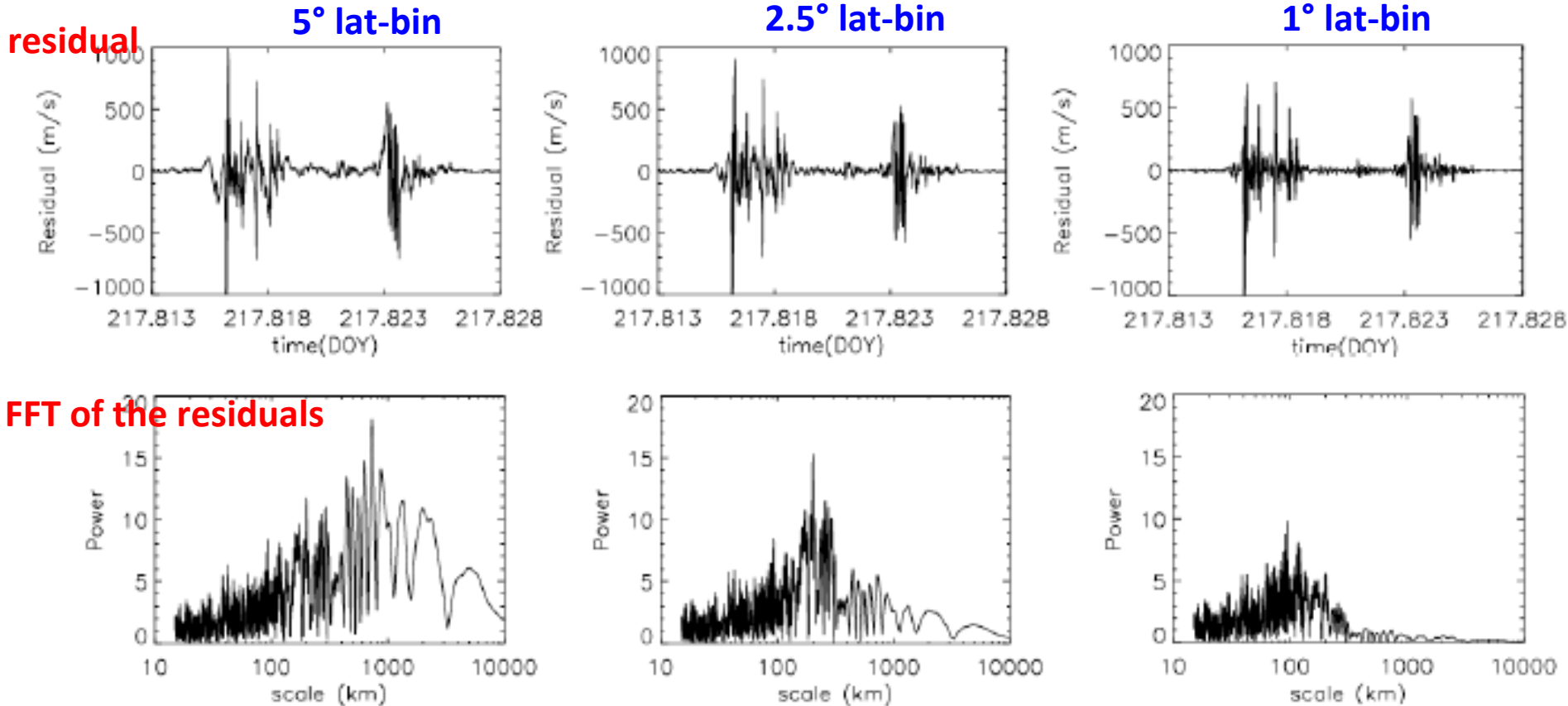


Horizontal component of ion drift velocity from DMSP F16  
5-degree latitude average



Residual calculated as the difference between original data and the 5° latitude average

# Different scale variations using various latitude bin sizes



- Various sizes of latitude bins (5°, 2.5° and 1°) are used to get different scales of field variations (~650km, ~330km, ~130km).
- Using a finer bin captures smaller structures in the field.

# Small-scale E and B fields

E-field:  $E = \underline{E_L} + \underline{E_S}$   
 Large-scale variation    Small-scale variation

B-field:  $\Delta B = \underline{\Delta B_L} + \underline{\Delta B_S}$   
 Large-scale variation    Small-scale variation

Energy Dissipation:  $JH = \sigma_P E^2 = \sigma_P (E_L^2 + \underline{2E_L E_S + E_S^2})$   
 (Joule heating)

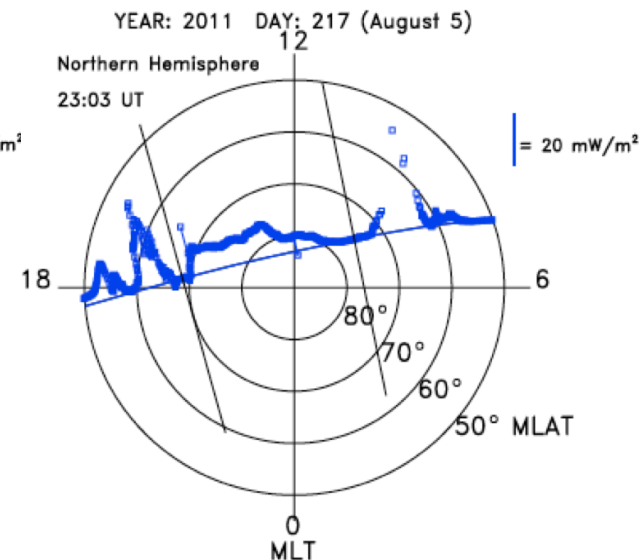
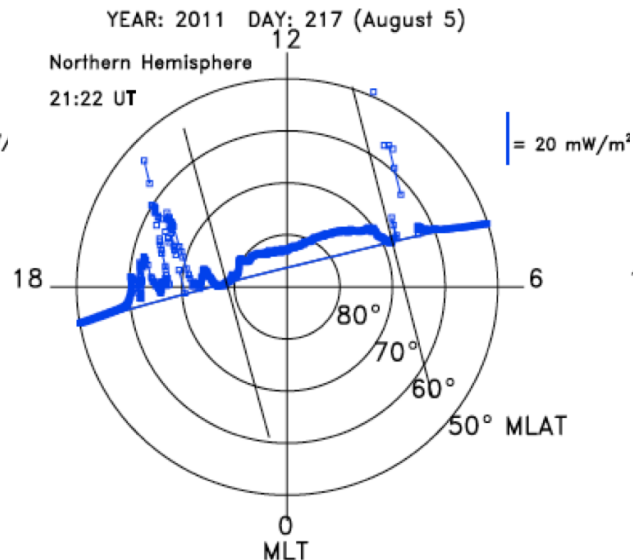
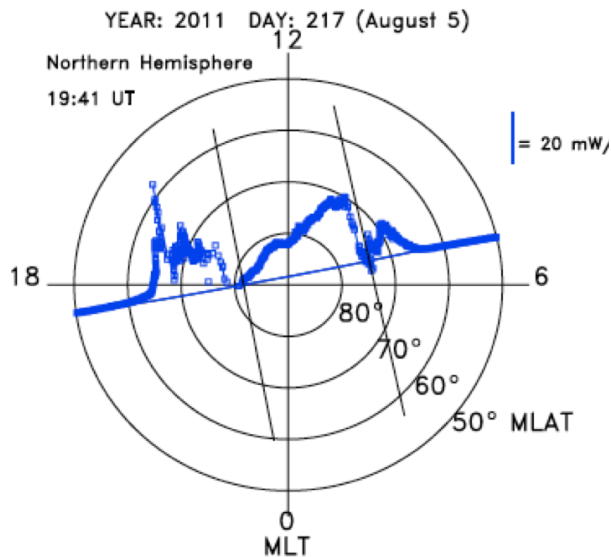
Small-scale E-field contribution to JH:  $\frac{2E_L E_S + E_S^2}{E^2}$

Energy input:  $PF = \frac{1}{\mu_0} (E \times \Delta B) = \frac{1}{\mu_0} (E_L \times \Delta B_L + \underline{E_L \times \Delta B_S + E_S \times \Delta B_L + E_S \times \Delta B_S})$   
 (Poynting flux)

Small-scale E- and B-field contribution to PF:  $\frac{E_L \times \Delta B_S + E_S \times \Delta B_L + E_S \times \Delta B_S}{E \times \Delta B}$

# Data analysis of DMSP F16 data

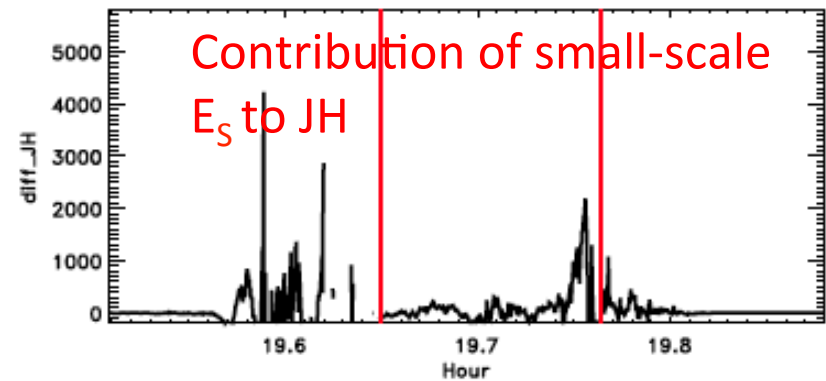
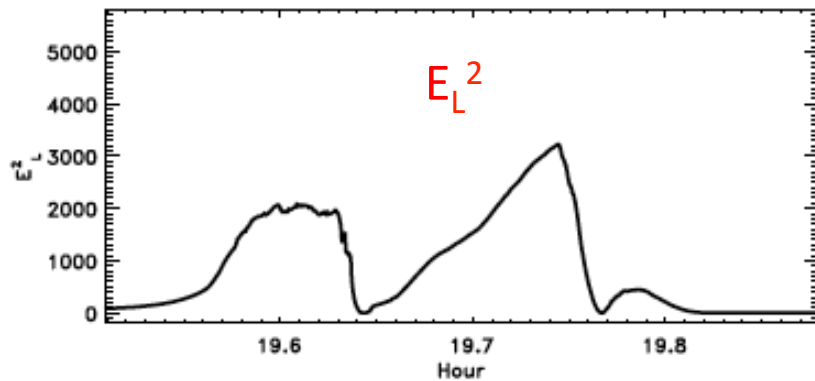
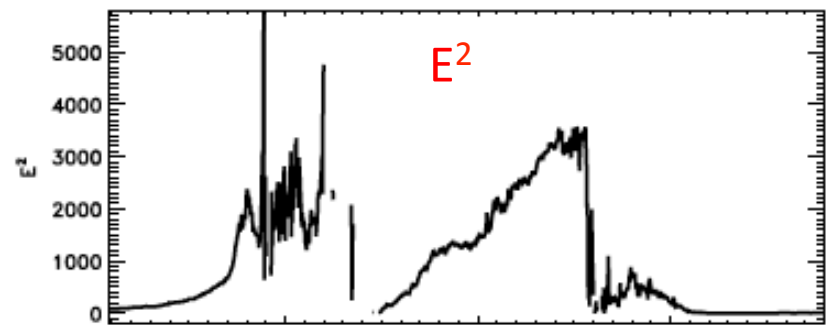
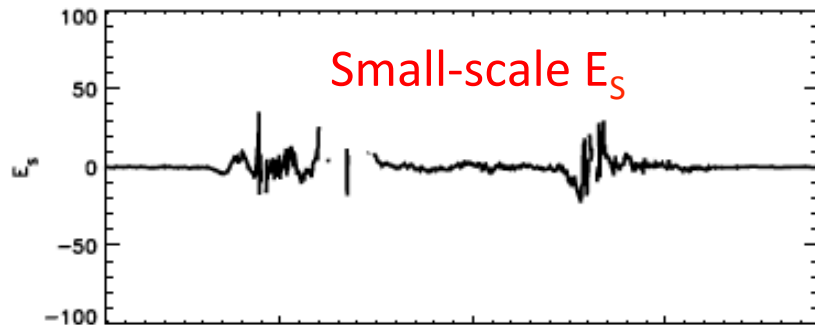
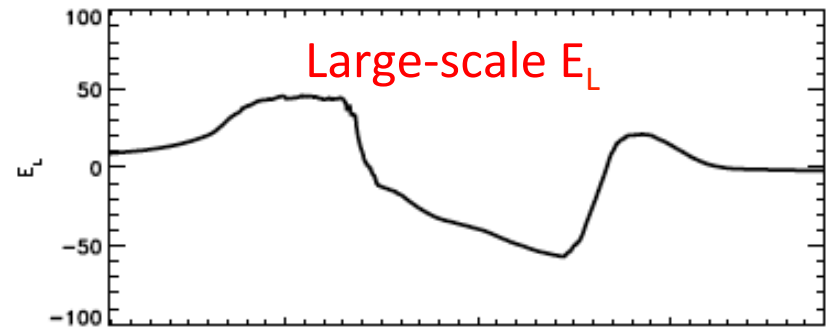
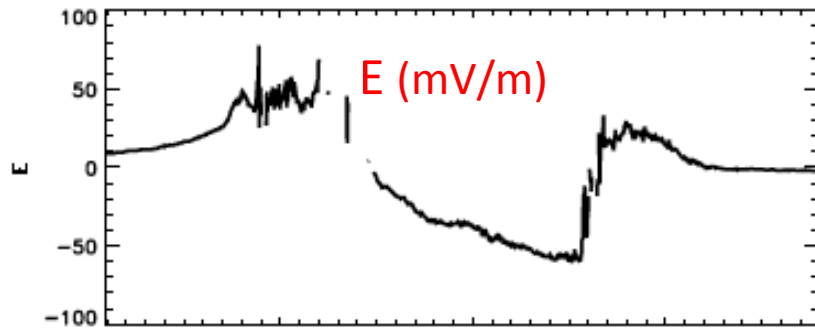
- 1-sec E-, B-field data from DMSP F16.
- During the August 2011 storm.
- Use various latitude window sizes ( $5^\circ$ ,  $2.5^\circ$ ,  $1^\circ$ , ...) to filter the small-scale variations in E- and B-field.
- The small-scale fields includes both spatial & temporal variations.
- Investigate the importance of small-scale fields in the estimation of Joule heating (JH) and Poynting flux (PF).



# Filtering of small-scale E-field

(5° smoothing window)

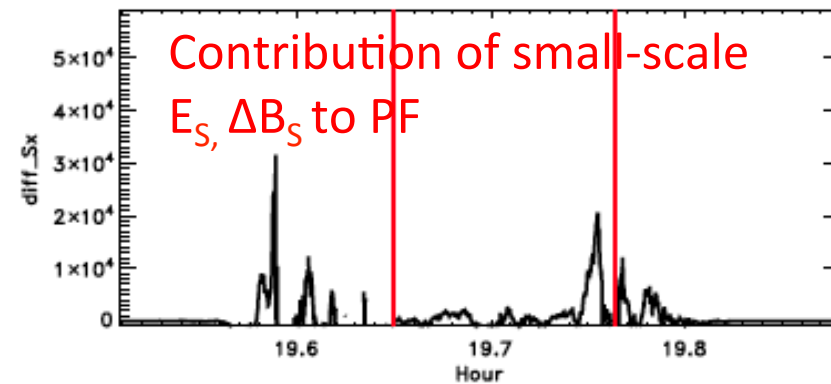
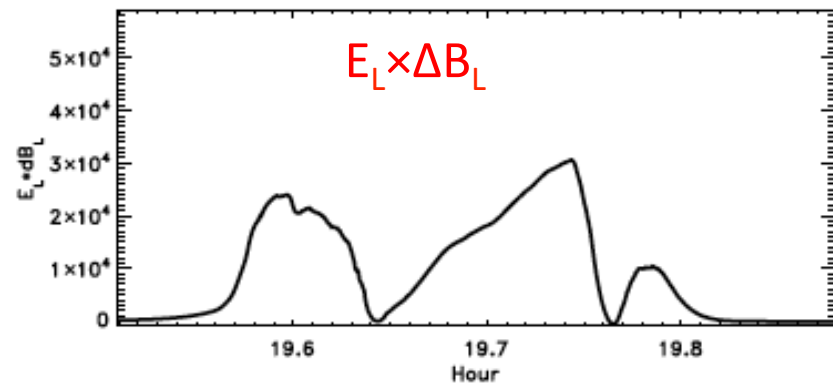
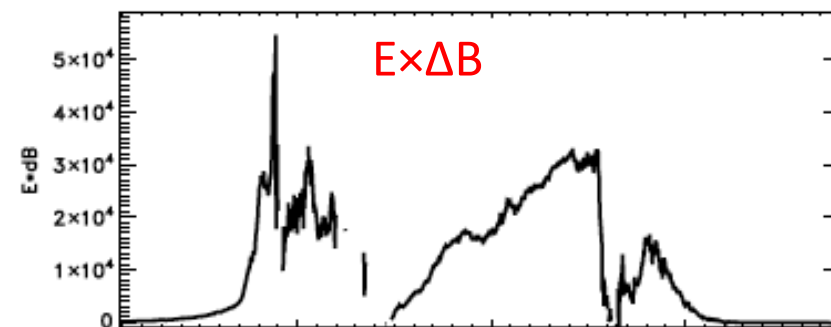
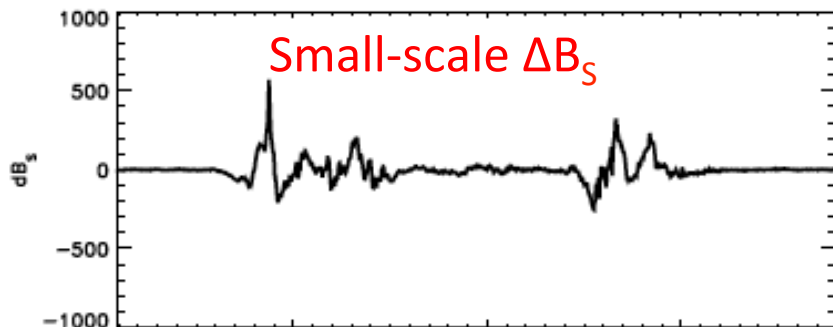
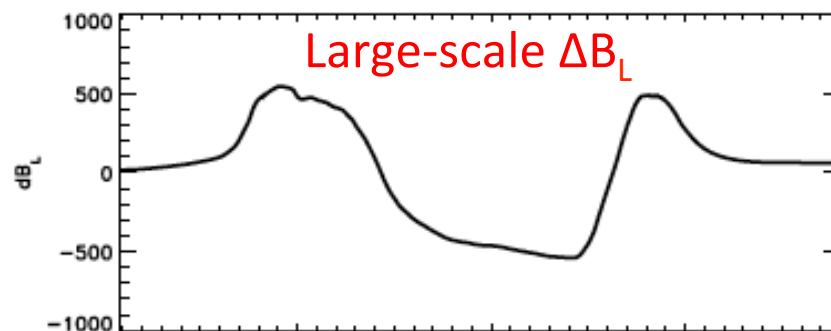
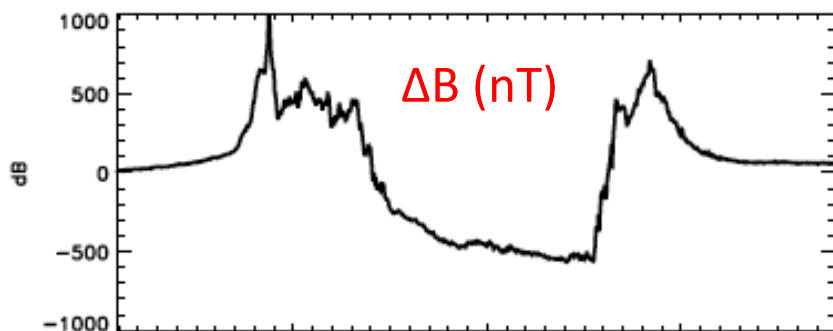
Aug 5, 2011 19:30 – 19:54 UT, F16



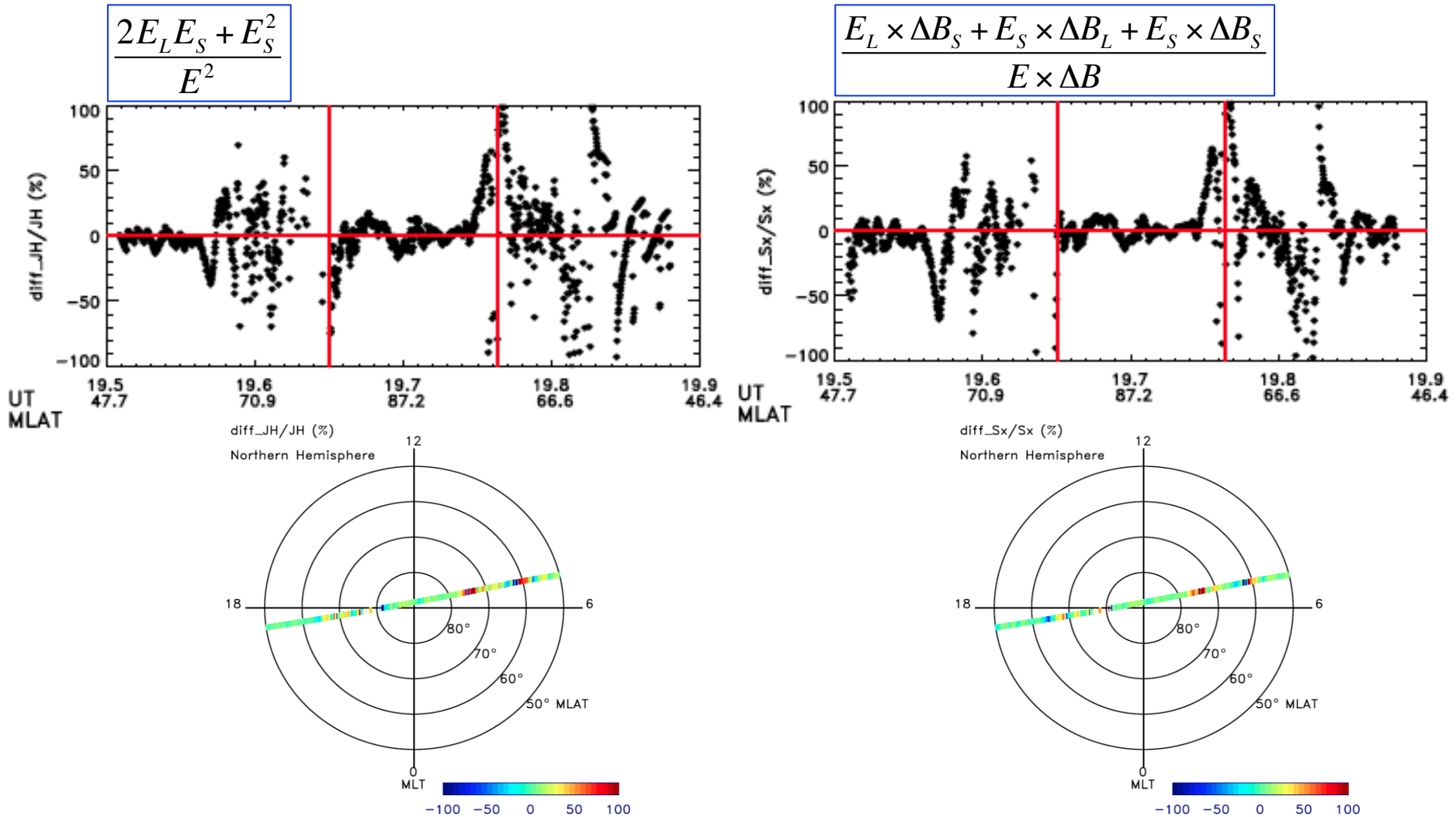
# Filtering of small-scale B-field

(5° smoothing window)

Aug 5, 2011 19:30 – 19:54 UT, F16



# Contribution to total JH and PF



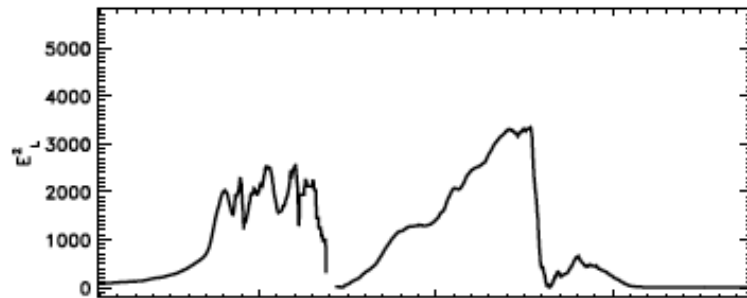
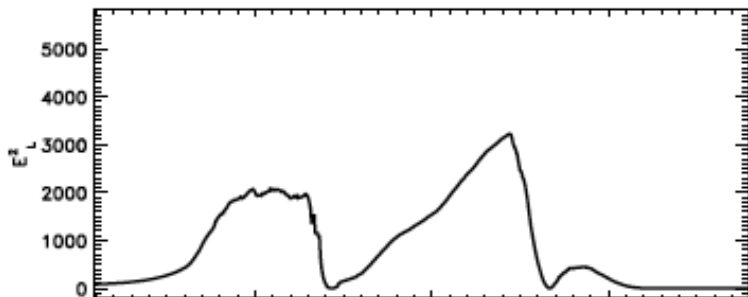
- The contribution of small-scale fields to JH and PF can be positive or negative.
- The average change  $\left( \left| \frac{2E_L E_S + E_S^2}{E^2} \right|, \left| \frac{E_L \times \Delta B_S + E_S \times \Delta B_L + E_S \times \Delta B_S}{E \times \Delta B} \right| \right)$  is 29% and 21%.



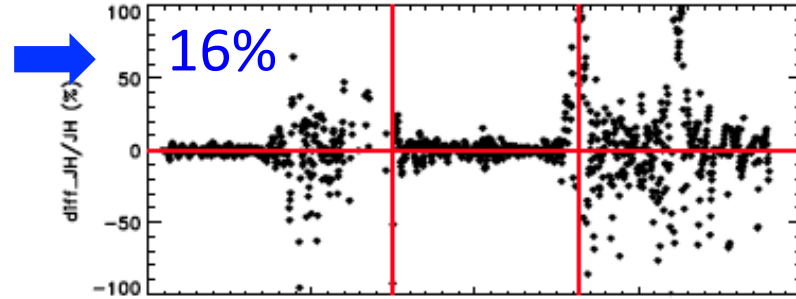
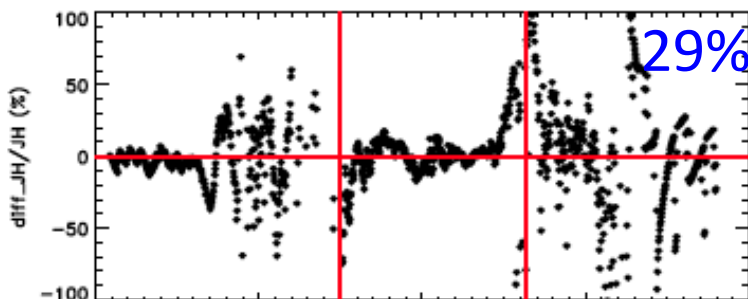
5° smoothing window

1° smoothing window

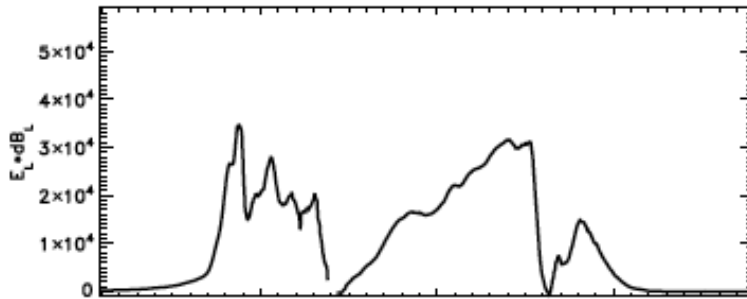
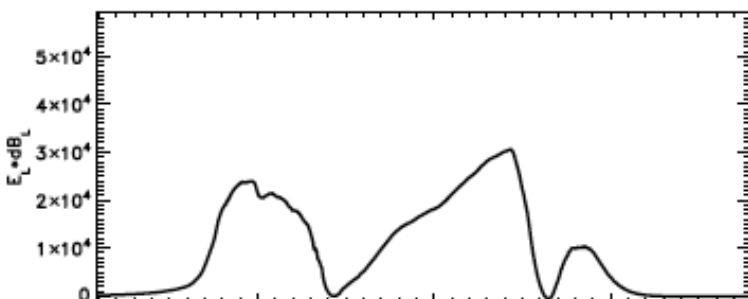
$E_L^2$



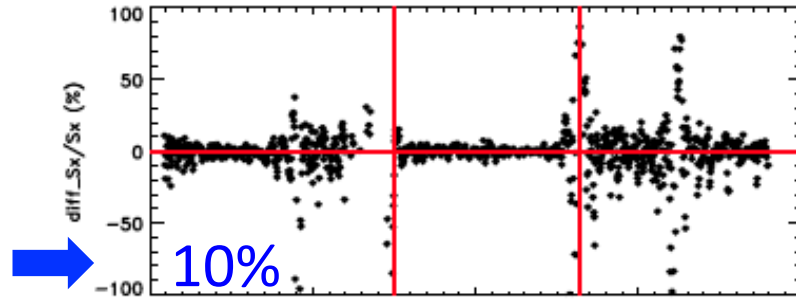
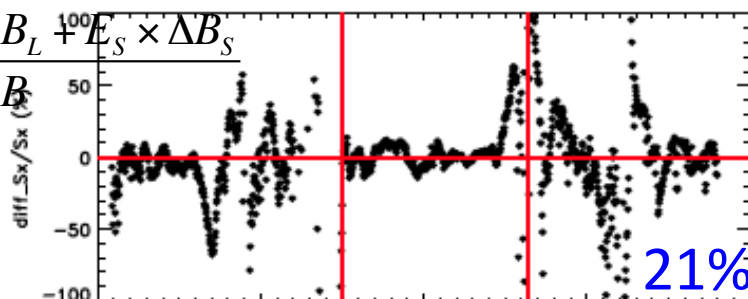
$$\frac{2E_L E_S + E_S^2}{E^2}$$



$E_L \times \Delta B_L$



$$\frac{E_L \times \Delta B_S + E_S \times \Delta B_L + E_S \times \Delta B_S}{E \times \Delta B}$$



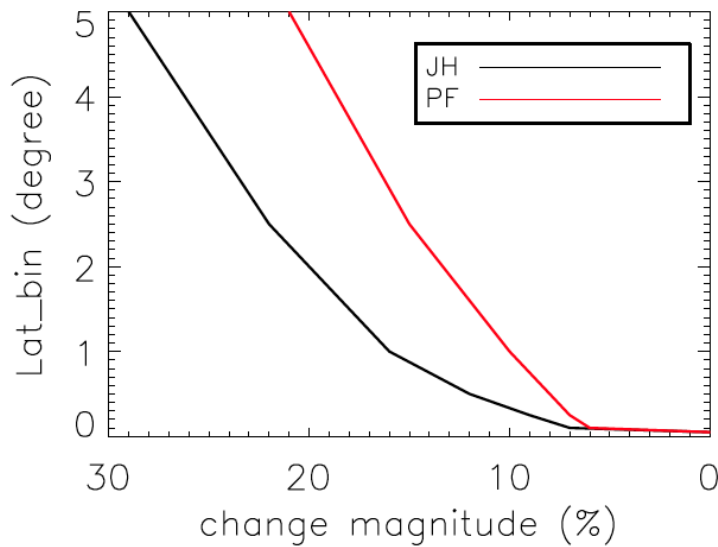
UT MLAT  
19.5 47.7 19.6 70.9 19.7 87.2 19.8 86.6 19.9 46.4

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19.5 47.7 19.6 70.9 19.7 87.2 19.8 86.6 19.9 46.4

# Effect of different lat bin size

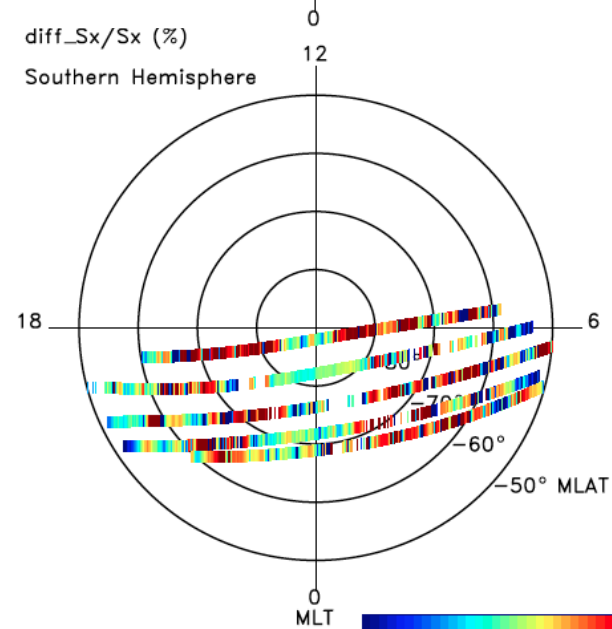
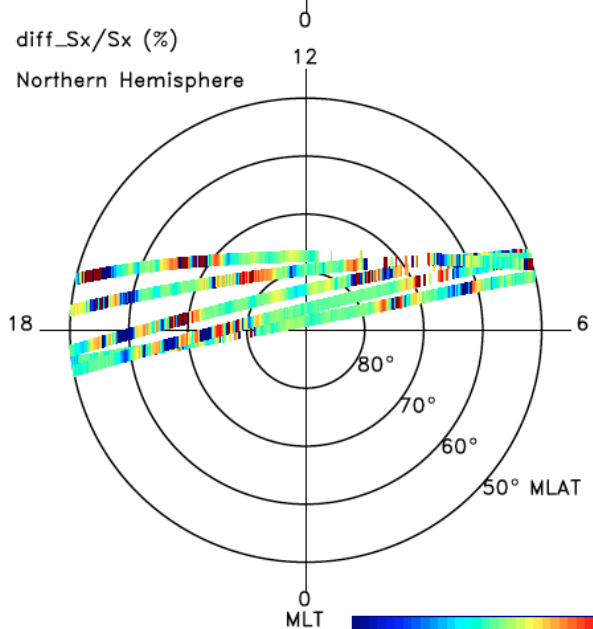
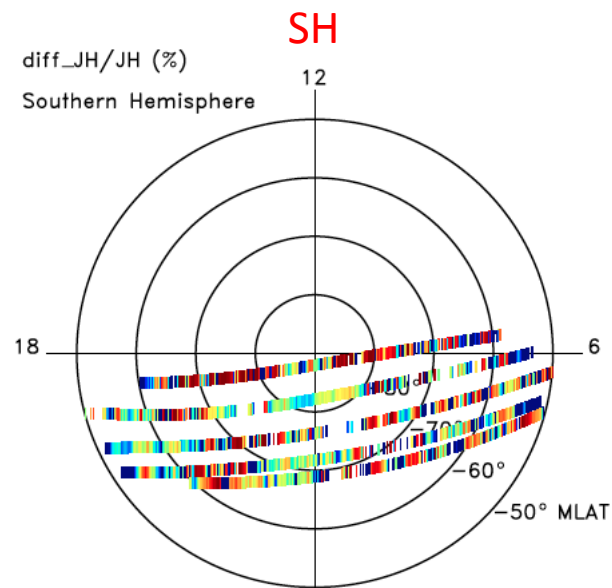
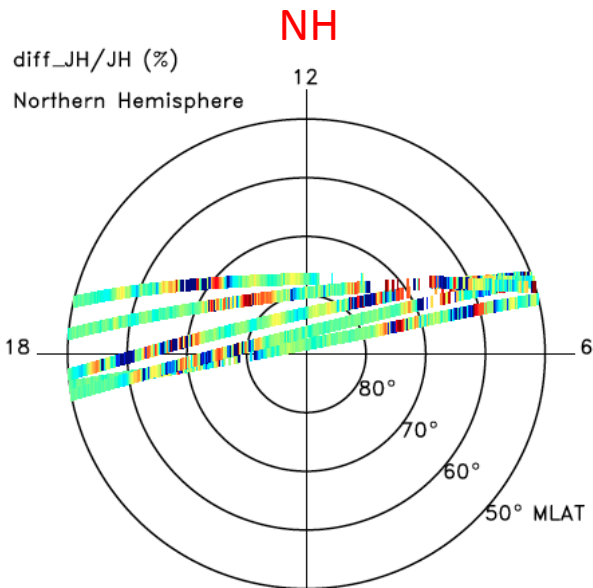
Mean magnitude of change from 19:30 – 19:54 UT, Aug 5, 2011 (F16)

Lat window size	JH (%)	PF (%)
5° (~650km)	29%	21%
2.5° (~330km)	22%	15%
1° (~130km)	16%	10%
0.5° (~65km)	12%	8%
0.25° (~33km)	9%	7%
0.1° (~13km)	7%	6%
0.05° (~7km)	0%	0%



- Finer bin size can capture more small-scale variations.
- The contribution of small-scale fields (< 100 km) to the JH and PF estimation are not negligible.

# Aug 2011 storm main phase (F16)



-100 -50 0 50 100

-100 -50 0 50 100

Contribution from  
small-scale variation  
to JH (%)

Average change  
~ 57%

Contribution from  
small-scale variation  
To PF (%)

Average change  
~ 65%

# Summary

- The electric and magnetic fields at high-latitude regions fluctuate on a variety of spatial and temporal scales.
- Various latitude bins ( $5^\circ$ ,  $2.5^\circ$ ,  $1^\circ$ , ...) are used to filter the small-scale variation in DMASP F16 E- and B-field during the main phase of Aug 2011 storm.
- The contribution of small-scale fields ( $\leq 650$  km) can either increase or decrease the estimation of total JH/PF, by more than 100%.
- During this storm main phase, the global average of the change are 57% and 65% for JH/PF with or without small-scale fields ( $\leq 650$  km).
- It's important to have high resolution grids (sub-grid) to account for small-scale variation when describing the total high-latitude energy input during storm events.
- The geoeffective scale size is unknown, and further study is needed to see their effects on the IT system.