Ionospheric Plasma Physics

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Ionospheric Plasma Physics: Spatial Inhomogeneities and Instability

Large scale, dense regions of plasma form in cusp region, break up into ~100 km structures (patches) due to transient reconnection, and undergo unstable cascade,

dense dayside plasma



100

Post-sunset low density plasma bubbles form from a due to Rayleigh-Taylor type instability

Equatorial plasma bubbles



Huba et al (2008)

ALTAIR OP Scan - 06 May 2013 (Day 126) 10:25:03Z - 10:33:07Z profile_op_13126_1025_b2_1sec_120.dat: UHF (WF 556)





Earth's lonosphere

- Ionosphere ionized portion of the upper atmosphere ~100-300 km altitude
- Produced by solar EUV and soft X-ray radiation (~80-200 km altitude)
- Vertical structure controlled by diffusion (through atmosphere) along field line
- Horizontal structure often due to neutral motions and electromagnetic forces
- Ionosphere is a weakly ionized plasma, i.e. it in embedded in a relatively dense atmosphere!









Ionospheric Motions Perpendicular to B





Ionospheric Collisional Electric Currents







 $\mathbf{J} = \mathbf{J}_P + \mathbf{J}_H + \mathbf{J}_{\parallel} = \sigma_P \mathbf{E}_{\perp} - \sigma_H \left(\mathbf{E}_{\perp} \times \mathbf{B} / B \right) + \sigma_{\parallel} \mathbf{E}_{\parallel}$





(Some) Structures and Instabilities: **Conceptual Approach + Linear Theory**

Governing Equations $\frac{\partial n}{\partial t} + \nabla \cdot (n\mathbf{v}) = 0$ $\nabla \cdot \mathbf{J} = 0$ $\mathbf{v} \approx \frac{\mathbf{E} \times \mathbf{B}}{B^2}$ $\overline{\mathbf{E}} = -\nabla \Phi$

"Constitutive" relation specifying J

Zero-order (background) conditions

Dispersion relation: complex freq. -> growth/decay

Linearization

Fourier **Decomposition of first-order variations**





Drift Instabilities Due to Conductance Variations gradient drift instability (GDI)





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Strong <u>F-region</u> ionospheric density gradients can cascade into smaller-scale "finger-like" structures when subjected to background drifts

$$\omega = -\frac{1}{2}i\tilde{\nu} \pm \frac{1}{2}i\sqrt{\tilde{\nu}^2 + 4\tilde{\nu} - \frac{1}{\tilde{\nu}}}$$
$$\tilde{\nu} \equiv \frac{\Sigma_P}{C_M}$$







Rayleigh-Taylor Instability: Plasma Bubbles





Shear (inertial) Instabilities **Kelvin Helmholtz (KHI)**

Fluid inertia plays a central role in destabilizing perturbations in an ordinary fluid

In the ionospheric F-region inertia is provided by the ions through polarization drifts (cf. Kintner and Seyler, 1985). In the ionospheric case finite conductivity tends to break up vortices in the nonlinear stage and finite inertia implies finite conductivity.

Simulation time: 1510 s



Movies courtesy Andreas Kvammen

Inertial Connections to Electrostatic Destabilization

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 $\omega = i\frac{\tilde{\nu}}{2} \pm i\sqrt{\frac{\tilde{\nu}^2}{4} + k^2 v_0^2} \left(1 - \frac{v_0}{v_n}\right)$ Linear growth rate (infinitesimal boundary layer width):

$$\mathbf{J}_{pol} = c_m \left(\frac{\partial}{\partial t} + \mathbf{v} \cdot \nabla \right) \mathbf{E} = (c_m \mathbf{B}) \times \left(\frac{\partial \mathbf{v}}{\partial t} + \mathbf{v} \cdot \nabla \mathbf{v} \right)$$



Structures and Instabilities: nonlinear behavior

y [km] Ground Receiver Phase



Spectra and "Turbulence"

- Kintner and Seyler, (1985) present analogues between plasma and neutral fluid <u>turbulence</u> steady exchange of energy between unstable modes resulting in a well-defined spectrum of fluctuations.
- Breaks in the spectral slope may be attributable to physical processes, e.g. standard Kolmogorov picture.
- Having turbulent spectrum is only part of the information necessary to understand density structuring - transients matter
- Nonlinear codes are extremely useful ways to study the transition between linear behavior and turbulence; however, they can be timeconsuming due to resolution requirements



(GDI growth) — (diffusive decay)



Illustration based on Lamarche et al (2020)

Physical Processes a Small Scales

Scales based on basic dimensional analyses, E.g.

 $\frac{J_{displacement}}{\sim} \approx \left(\begin{array}{c} \sigma \\ - \end{array} \right)$ J_{conduct} $\epsilon_0 \omega$

Pedersen drifts (scale independent) Inertial effects (~1-4 km) Potential mapping (~100-1000 m) Diffusive drifts (~100-300 m) Diamagnetic drifts (~50-300 m)

Scale sizes perp-to-B for physics to start to matter (e.g. Farley, 1959; Kintner and Seyler, 1985)

at
Time variability effects
on polarization charge

$$\frac{J_{pol}}{J_{conduct}} \approx \frac{\omega}{\tilde{\nu}} = 1 \quad \text{when} \quad \tau \approx \frac{2\pi}{\tilde{\nu}} \approx 15 \text{ s}$$
Shearing effects on
polarization current

$$\frac{J_{pol}}{J_{conduct}} \approx \frac{kv}{\tilde{\nu}} = 1 \quad \text{when} \quad \lambda = \frac{2\pi v}{\tilde{\nu}} \approx 3.5 \text{ km}$$
Pressure effects
(diamagnetic/diffusive)

$$\frac{J_{pressure}}{J_{conduct}} \approx k \frac{k_B}{q} \frac{T}{E} = 1 \quad \text{when} \quad \lambda = 2\pi \frac{k_B}{q} \frac{T}{E} \approx$$
Electric field mapping

$$\frac{\lambda_{||}}{\lambda_{\perp}} \approx \sqrt{\frac{\sigma_{||}}{\sigma_{\perp}}} = 1 \quad (\text{alt. dep.})$$



Modeling Plasma Fluid Instabilities

- Models are useful tools for capturing nonlinear behavior
 - Polar cap patches are interchange unstable and cascade to smaller scales
 - Shear layers can overturn and break
 - Equatorial plasma bubbles steepen, bifurcate, and merge.
- These simulations are high simplified "wave-in-a-box" type simulations with parameters basically chosen to aggressively develop turbulence — <u>they</u> are not really "realistic"
- GEMINI (local, nonlinear, ionospheric model) examples: <u>https://github.com/</u> <u>gemini3d/gemini-examples/tree/main/init/</u> CEDAR2024









Impact of Small-Scale Plasma Structures

- One important aspect of ionospheric dynamics is the effects on radio propagation through variations in refractive index (refraction and diffraction)
- HF (tens of MHz) refraction, scattering, and absorption
- VHF L band (~1 GHz) scintillation and loss of lock
- Implications for positioning and \bullet navigation systems

 $r_f \approx \sqrt{\lambda h_F} \approx 800 \text{ m}$ (VHF)

