



2018 Summer Workshop

June 17-23, 2018

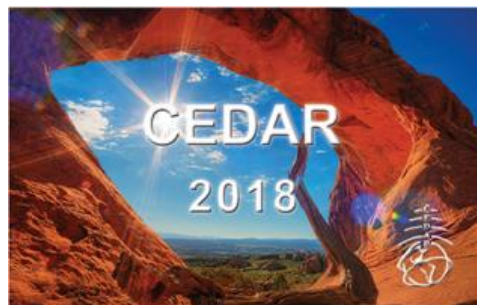


Eldorado Hotel & Spa ■ Santa Fe, New Mexico

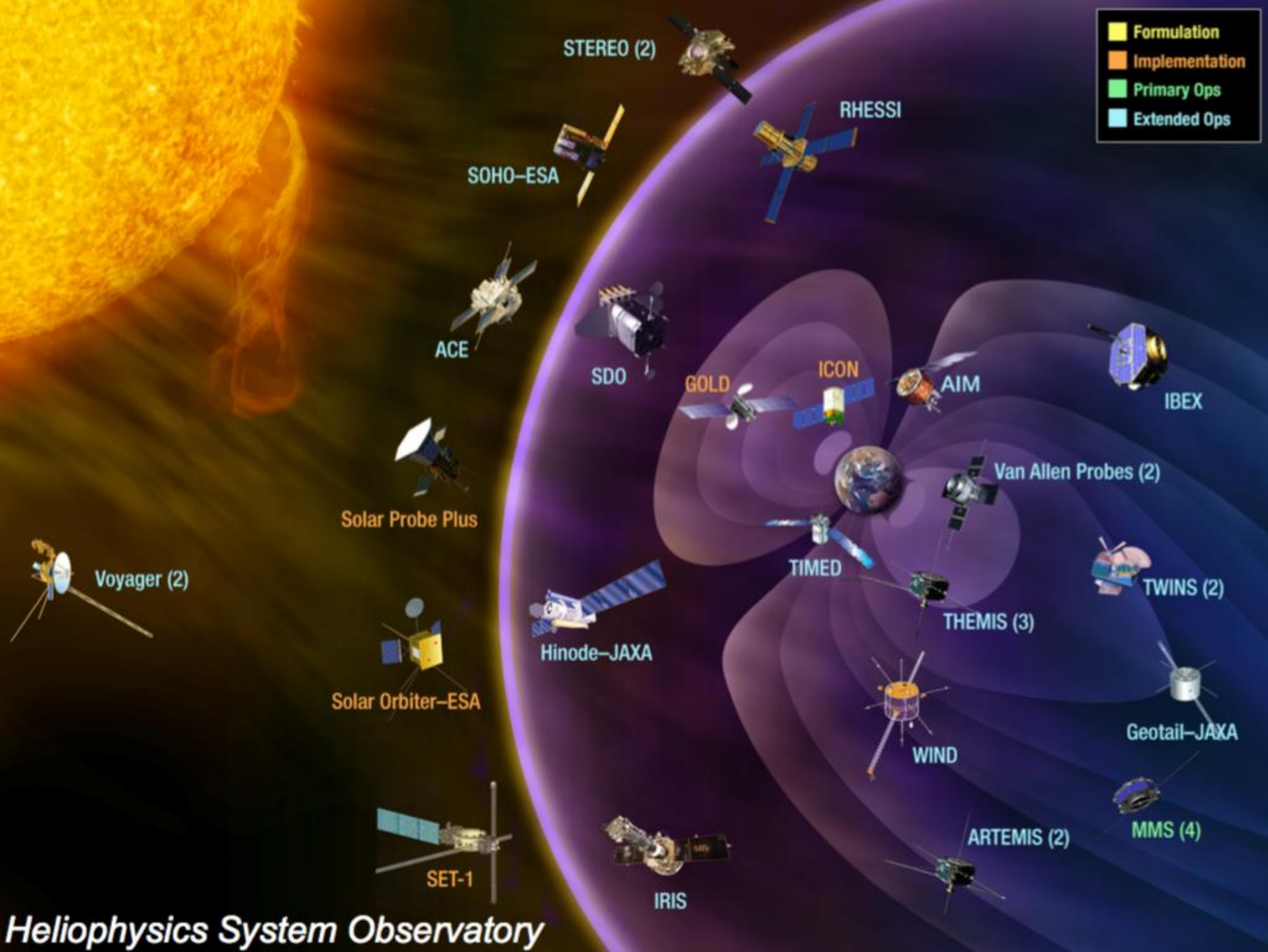
Magnetospheric research in the age of data science

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With thanks to: Craig A. Kletzing, George B.
Hospodarsky, Harlan E. Spence, Geoffrey D.
Reeves, Shrikanth G. Kanekal, Daniel N. Baker



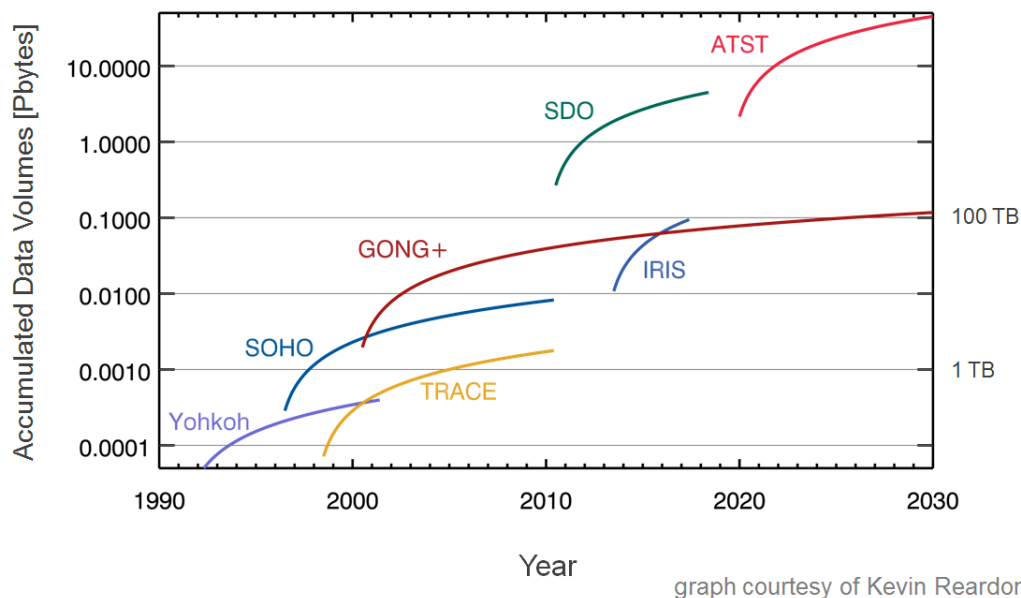
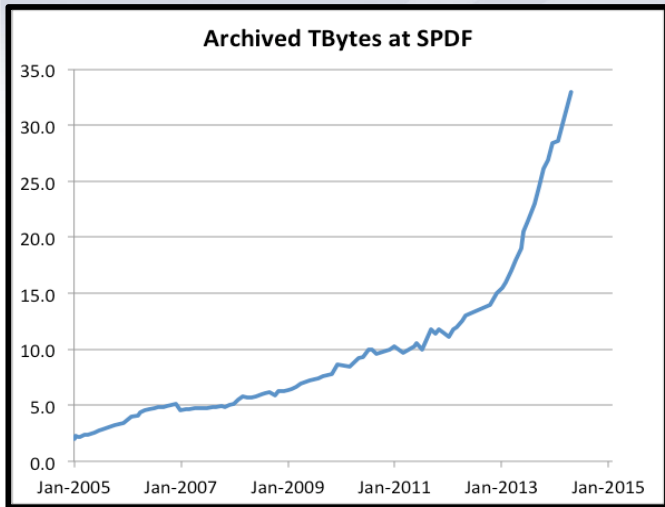
25 - 29 June
Santa Fe, New Mexico



Heliophysics System Observatory

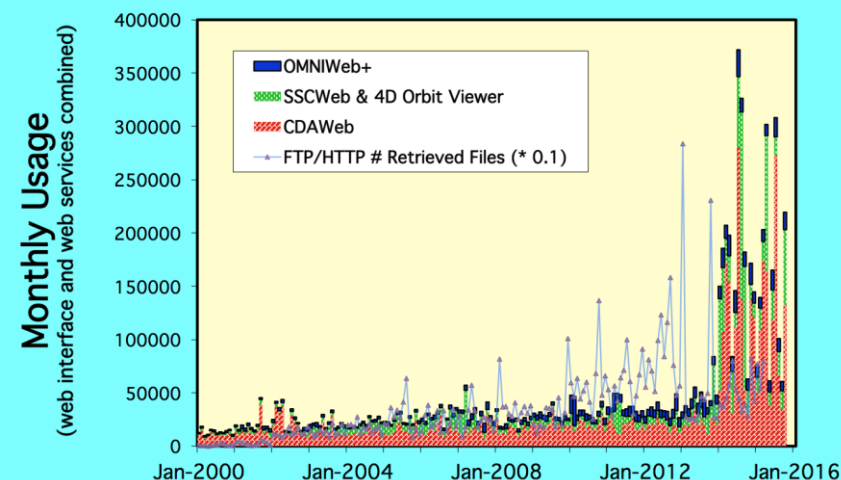
Growth in data volume

Comparative Data Volumes



graph courtesy of Kevin Reardon

The Community's Use of SPDF Services



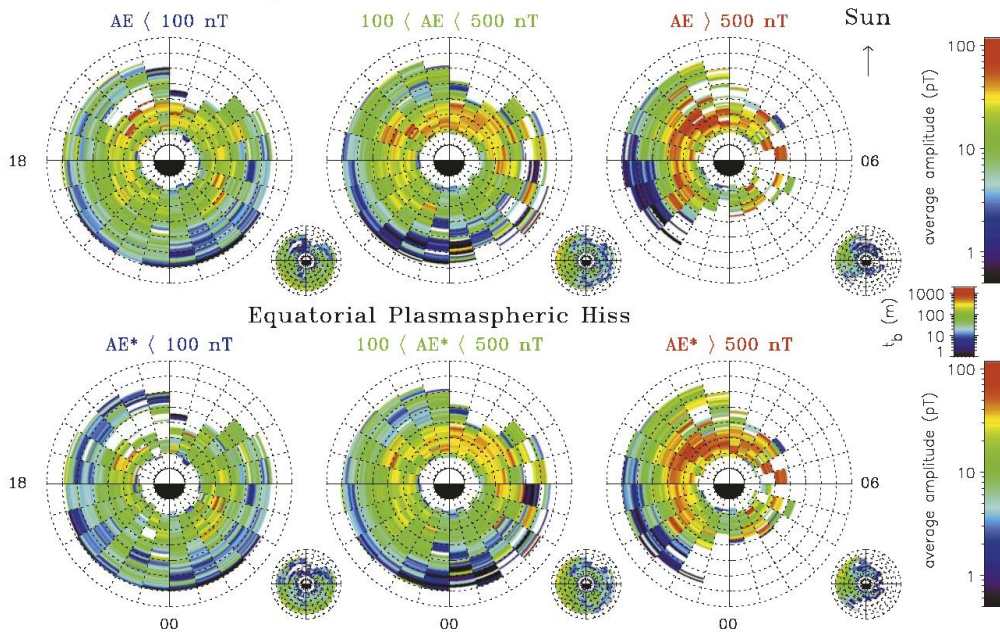
As of Feb 2016: 91TB of holdings; 23 current spacecraft: ~130 past. Monthly ~6TB are served (~730k files). To add: MMS to be made public 3/1/2016. Van Allen Probes, Cluster WBD, etc.

How do we extract “science” (specification? prediction? insight/intuition? set of equations?) from big data volumes

What are we doing now?

Same Author et al. [2018]

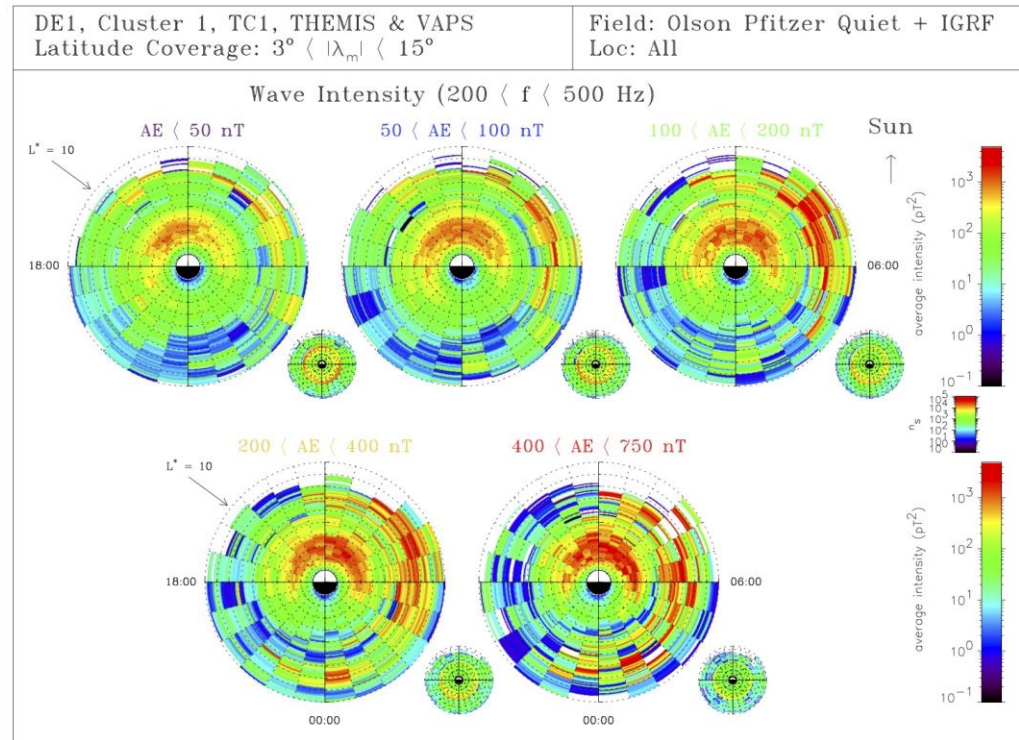
Equatorial Plasmaspheric Hiss



Author et al. [2004]

Whistler-mode wave (hiss) distribution, showing geomagnetic control and local time asymmetry

How would this distribution change with 10x, 100x, etc. more data?



What should we be doing?

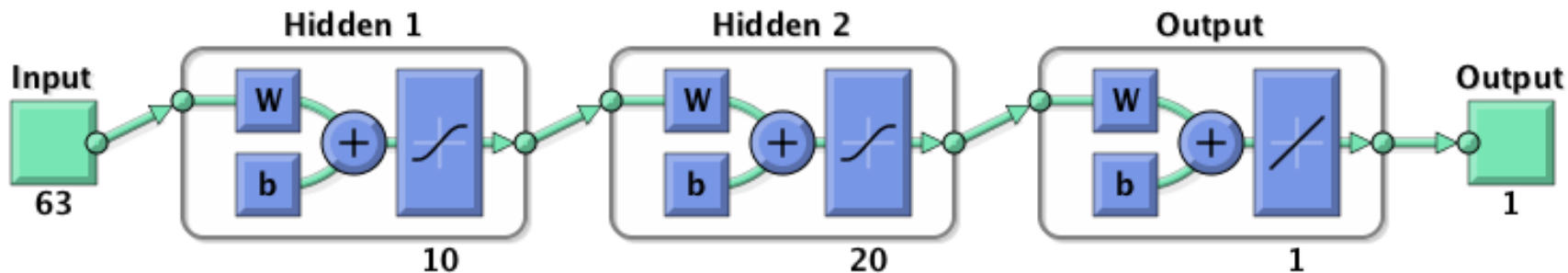
1. Be able to “exploit” archived data, i.e., extrapolate what past mission data would look like for a current event or case study
2. Make sense of large (and increasing) volumes of data currently being collected, e.g., petaByte data-sets cannot be analyzed in the “usual way”
3. A model that “improves” the more data is added, i.e., if data quantity increases 10x, model should be able to improve its temporal and spatial resolution and pick up more subtle patterns or trends in behavior
4. Take full advantage of distributed arrays of instrumentation collecting simultaneous, homogeneous, i.e., don't treat multi-spacecraft (distributed array) data as a sum of individual satellites (instruments)!

What could we be doing?

Goal: *Given a set of sparse measurements of quantity Q , at location r and time t , reconstruct Q over all r at any t*

- What is Q ? **Any quantity** that can be measured, for example on a satellite, and there are a large number of observations.
- Examples I'll show now:
 1. **Electron number density**: Use THEMIS density data (from S/C potential) June 2008 – Oct 2014, TH-A, D, E in 5-min cadence ($\sim 10^6$ samples)
 2. **Energetic electron fluxes**: Use Relativistic Electron Proton Telescope (REPT) data, Oct 2012-Oct 2014, 8 energy channels: 1.8 MeV-7.7 MeV
 3. **Chorus wave intensity**: upper and lower band waves, measured on THEMIS and RBSP, ~ 372 k samples, May 2010-June 2014.
 4. **Hiss wave intensity**: RBSP data, Oct 2012-Sep 2014, 280k samples.
- Regressed against a time history of a geomagnetic index at 5 min cadence
 - usually **symH**, occasionally AE, time history of 5-10 hours
 - Why geomagnetic index (and not SW)? Because it is **simple**, readily available, unlike SW which often has gaps, and should contain all the information in the SW.
 - “historic” (following SAMI3 model), but we will include in later versions.

Neural network approach



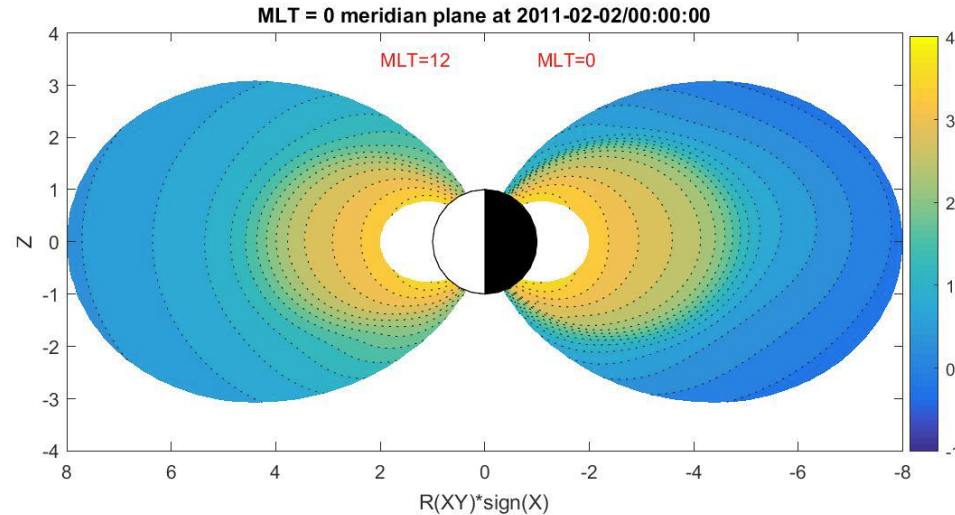
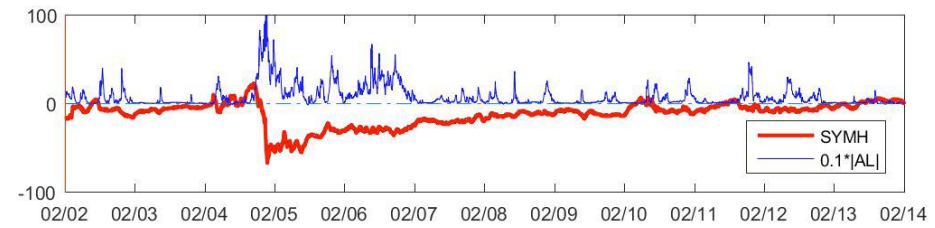
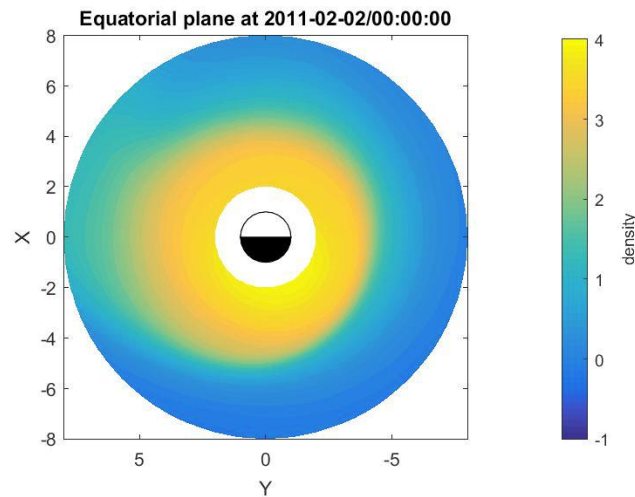
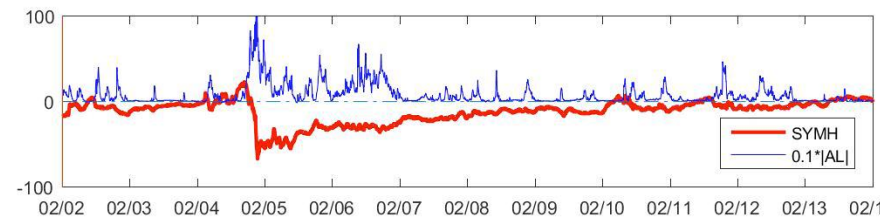
- Use a “deep” neural net architecture with 2 hidden layers. Why deep NN?
 - **NN**: it is a universal approximator, even with 1 layer [*Hornik et al. 1989; Cybenko, 1989*]
 - **Deep**: Don’t need to know the feature set a-priori, deep architecture is more efficient and learns its own optimal feature set
 - **First layer**: dimensionality reduction, optimal feature construction
 - **Second layer**: more complex representations
 - Sigmoid activation function in hidden layers, linear in output layer
- Does it have to be a neural net? No! Just need a high variance model (SVM, HMM, etc.) and LOTS of data [*Banko & Brill, 2001*]
- Divide data into 3 parts: **Training** (70%), **Validation** (15%), and **Test** (15%)
- Continue “training” the neural net until error on validation set increases for 10 consecutive times, pick minimum error point. Use Scaled Conjugate Gradient or Levenberg-Marquardt method to optimize.
- **Object is to pick the most generalized representation without over-fitting**

Reconstruction of 3D plasmasphere

Equatorial Electron number density: 5-min resolution electron density from THEMIS A, D, E probes, 2008-06-01 to 2014-11-30.

Inputs: L , $\sin(\text{MLT})$, $\cos(\text{MLT})$, MLAT, 5-65: AL index in 5 min resolution for the previous 3 hours, 66-114: symH index in 30 min resolution for the previous 24 hours. Architecture: [20 10]; Perform: factor of ~ 1.5 , $r = 0.957$

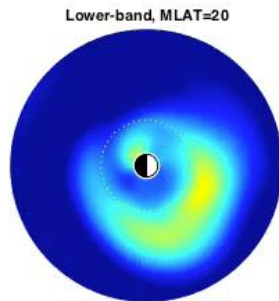
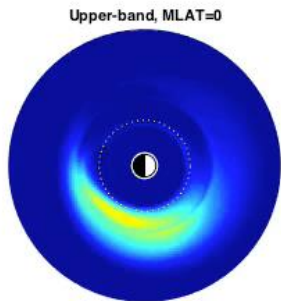
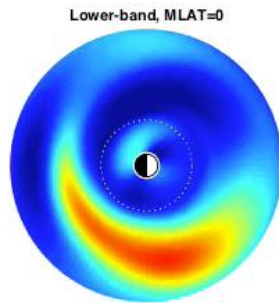
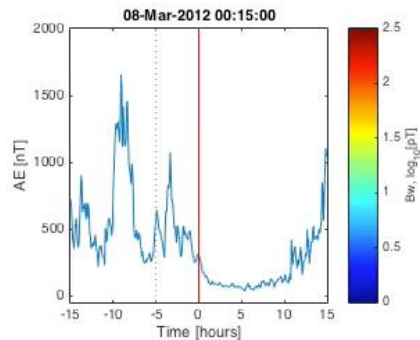
3D Electron number density: 5-min resolution electron density from ISEE, CRRES, POLAR, and IMAGE. $L \sim 1-11$, MLAT: -50 to 50 deg, all MLT, 1977-2005 resulting in 217,500 data points. $R \sim 0.954$



Approach is general: can be applied to any quantity: hiss and chorus waves

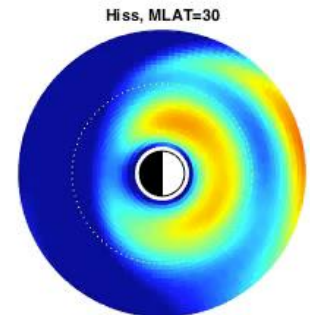
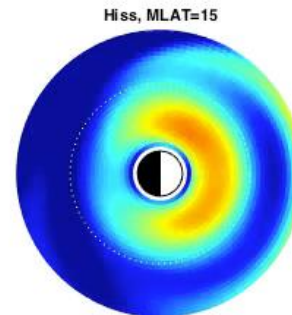
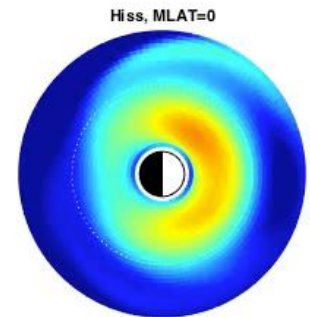
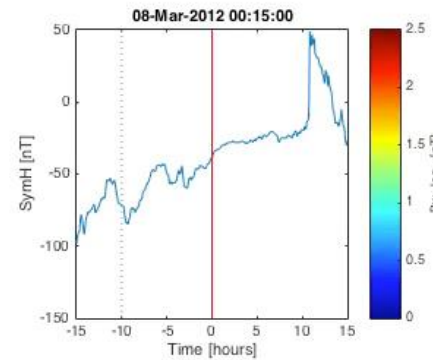
Whistler-mode chorus waves

Upper band (0.5-0.8 fce) and lower band (0.1-0.5 fce) waves, measured on THEMIS and RBSP, ~372k samples, May 2010-June 2014.

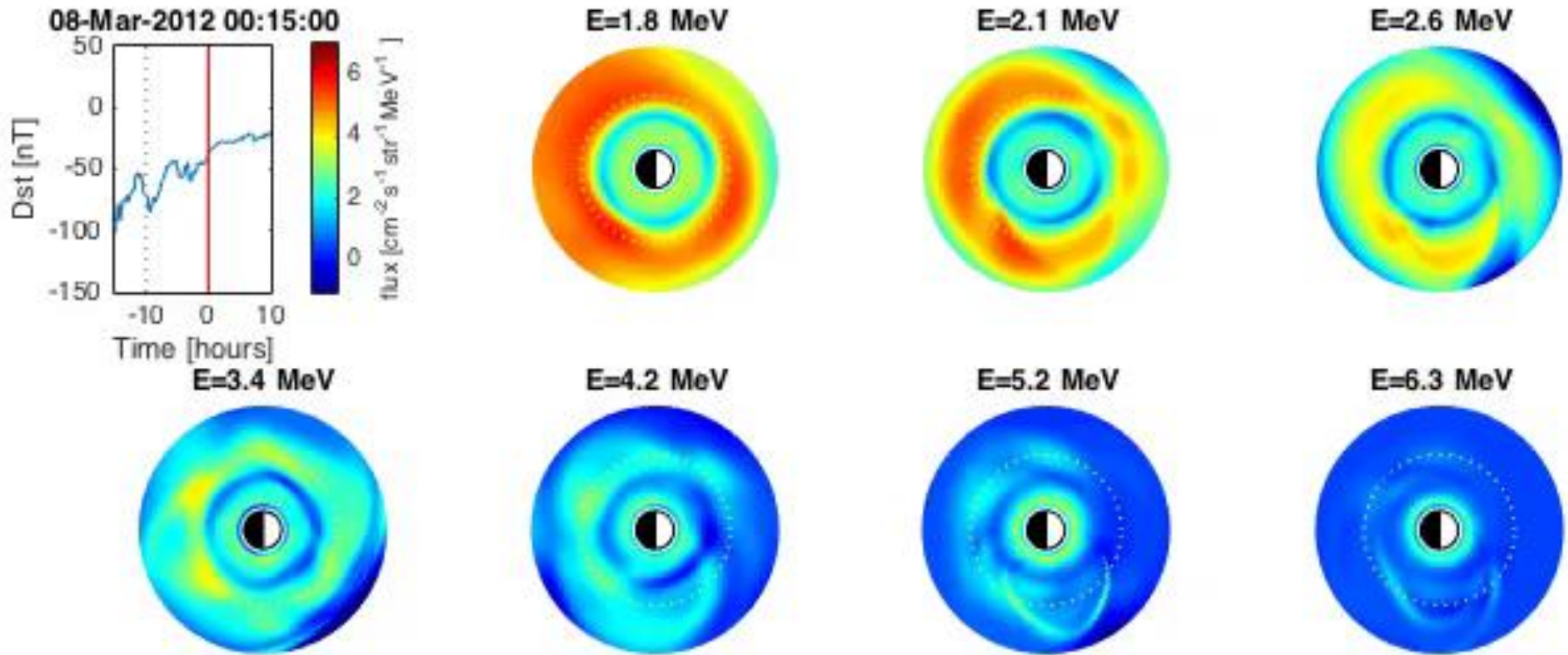


Plasmaspheric hiss waves

Van Allen Probes data, EMFISIS 0.1-2 kHz Bw; Oct 2012-Sep 2014, ~280k samples. Regressed on 10-hrs of sym-H

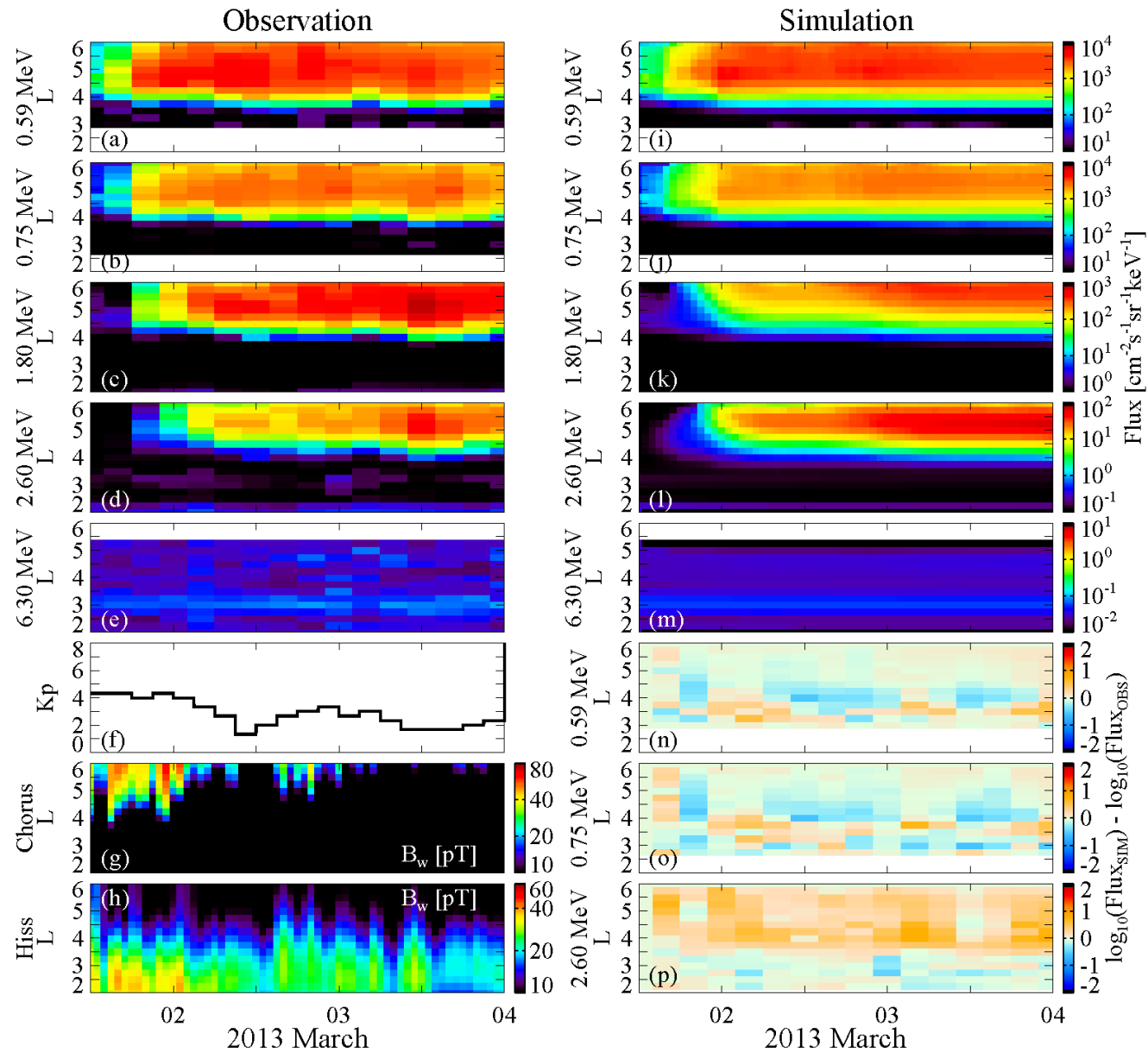


Relativistic electron (MeV) fluxes



- REPT data: 8 energy channels 1.8, 2.1, 2.6, 3.4, 4.2, 5.2, 6.3, 7.7 MeV
- Regressed on 10 hours of Dst only
- Small number of samples, $\sim 188\text{k}$ in total. Artifacts show up in higher energy channels since few accelerations reach those energies!

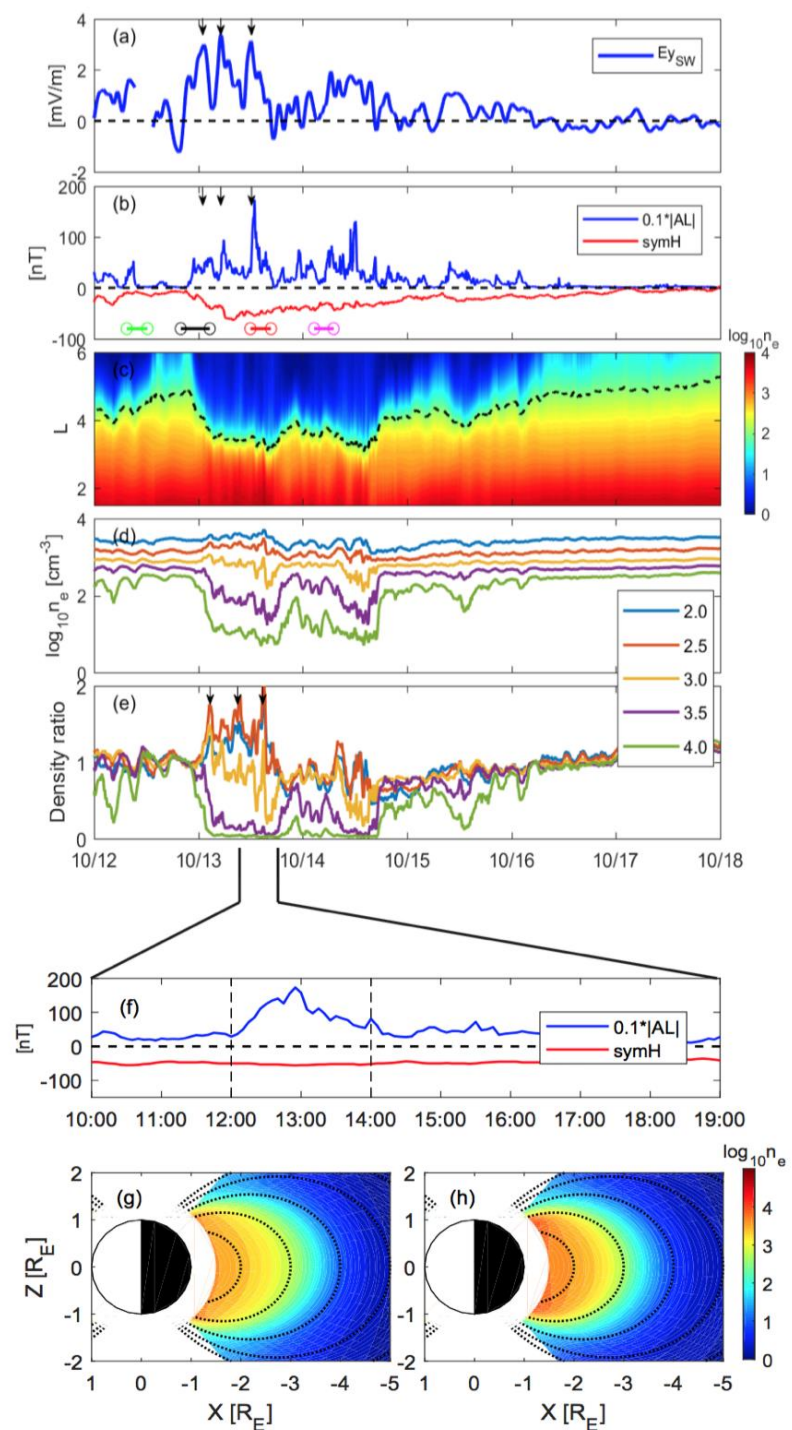
Application in modeling boundary and driving conditions



“Learned” chorus and hiss wave environments can be used as an input to (physics-based) Fokker-Planck models to predict \sim MeV flux, i.e., use data-rich environment to map into data-starved environment.

Insight discovery: low L-shell density enhancements

- DEN3D (3D neural net density model) discovered enhancement at low L-shells in association with substorm injections
- Verified by independent satellite and modeling measurements



Summary

- **Scientific data growing: new approach needed to extract “science”.**
- We presented a “unified approach to inner magnetospheric state prediction” *Bortnik et al.*, [2016] JGR
- Take a set of observations of some quantity Q measured at (\mathbf{r}, t) , and reconstruct Q at all \mathbf{r} as a function of t . Q can be anything, e.g., density, energetic particle fluxes, and different wave modes.
- Preliminary results show excellent agreement ($R \sim 0.8-0.9$) between model and data, the “physics” are baked into the model and need to be interpreted (*the data deluge does NOT make the scientific method obsolete, cf Chris Anderson WIRED magazine*), e.g.
 - 3D plasmaspheric density model, evolves on 5 min cadence
 - Hiss and chorus 3D wave fields
 - REPT (\sim MeV) fluxes cannot be learned directly: data starved environment, need to translate from data rich (waves, keV particles) to data starved environment.
- For **specification models, input to physical models, insight discovery**

THE END

Summary

- Geospace in the modern era is exciting!
 - Unprecedented observational resources and data
 - Space weather is becoming an increasingly important consideration for our modern, technological society.
- We have made key contributions to our field in understanding the interconnectedness of waves, wave-particle physics, and machine learning
- Many questions remain that are of scientific importance and societal interest.
- A key area of expansion is in the exploitation of large, heterogenous datasets to extract insights, fundamental physics, and achieve specification/prediction.

Looking for fundamental physics

Physical System

Schematic

Experimental Data

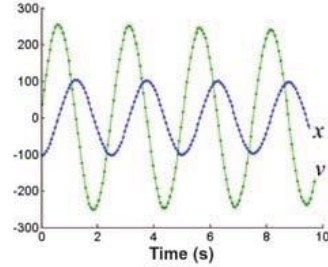
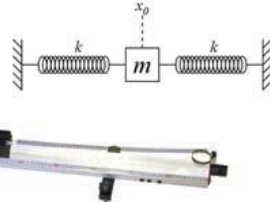
Inferred Laws

Distilling from Experiments

Michael Schmidt¹

For centuries, scientists have discovered natural laws and theoretical relations a priori. In the 20th century, data became important and demonstrated this approach for a wide range of physical systems, ranging from simple harmonic oscillators to complex systems, such as chaotic systems, quantum mechanics, and quantum field theory.

Mathematical models underlie the structure of nature (I), so many natural laws are derived from first principles. Automated techniques for analyzing experimental data and storing data have become increasingly important in the 21st century.



$$114.28v^2 + 692.32x^2$$

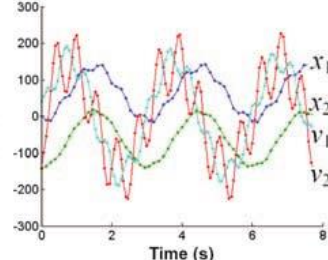
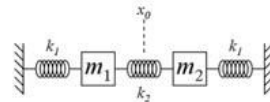
Hamiltonian

$$v^2 - 6.04x^2$$

Lagrangian

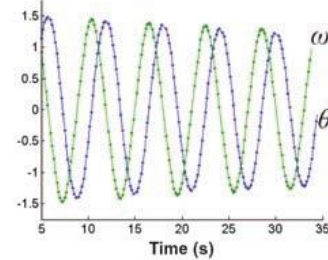
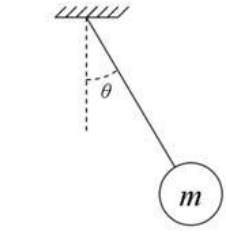
$$a - 0.008v - 6.02x$$

Equation of motion



$$-142.19x_1 - 74.65x_2 + 0.12x_1^2 - 1.89x_1x_2 - 1.51x_2^2 - 0.49v_2^2 + 0.41v_1v_2 - 0.082v_1^2$$

Lagrangian



$$1.37 \cdot \omega^2 + 3.29 \cdot \cos(\theta)$$

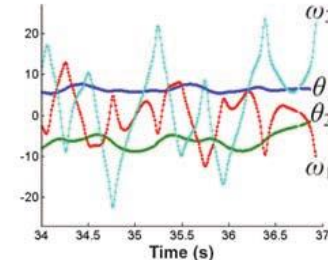
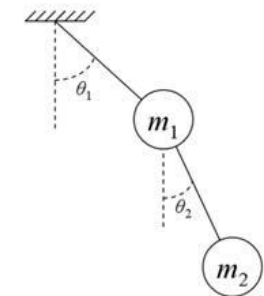
Lagrangian

$$2.71\alpha + 0.054\omega - 3.54\sin(\theta)$$

Equation of motion

$$(x - 77.72)^2 + (y - 106.48)^2$$

Circular manifold



$$\omega_1^2 + 0.32\omega_2^2 - 124.13\cos(\theta_1) - 46.82\cos(\theta_2) + 0.82\omega_1\omega_2\cos(\theta_1 - \theta_2)$$

Hamiltonian

line material and nonlinear meters to an analytic regression of the form of [section S6]. randomly complex systems such as } analytical cosine), con- quations are quations and expressions. at model the rs and abandon- quations reach orithm termi- that are most mechanisms

is typically 1 differential : readily find itions. Rather gnal, we are sical law that may not be

Big data/Machine learning

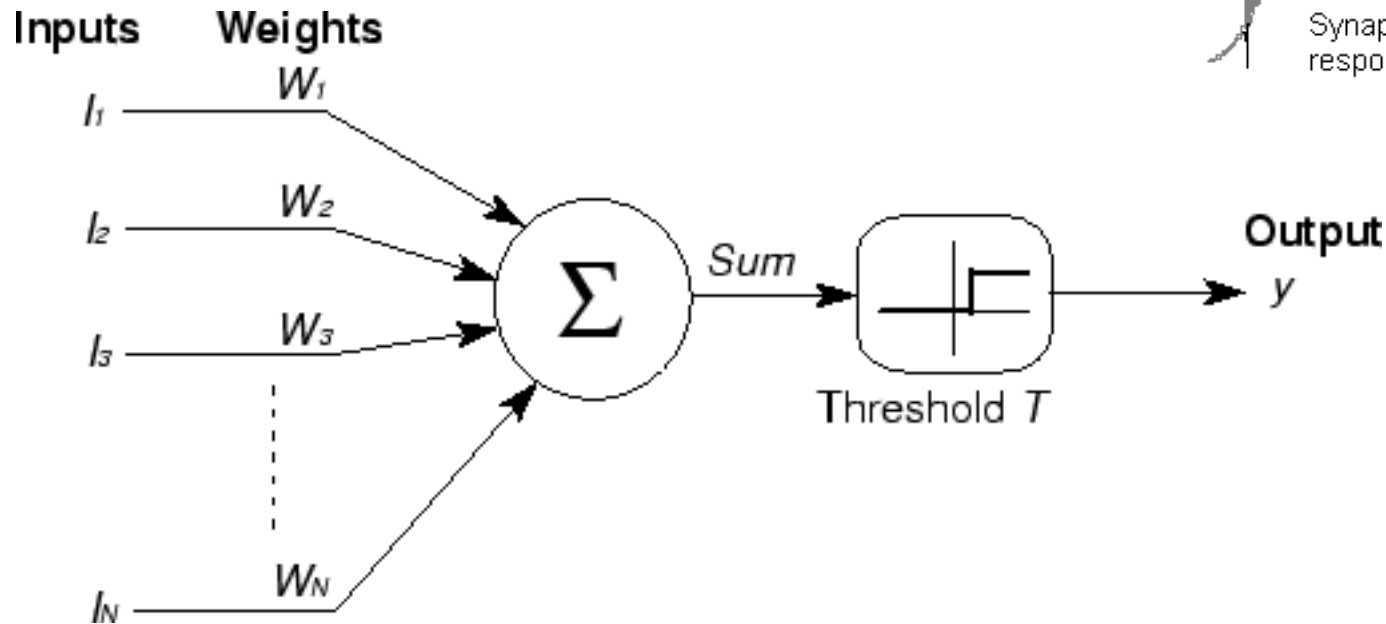
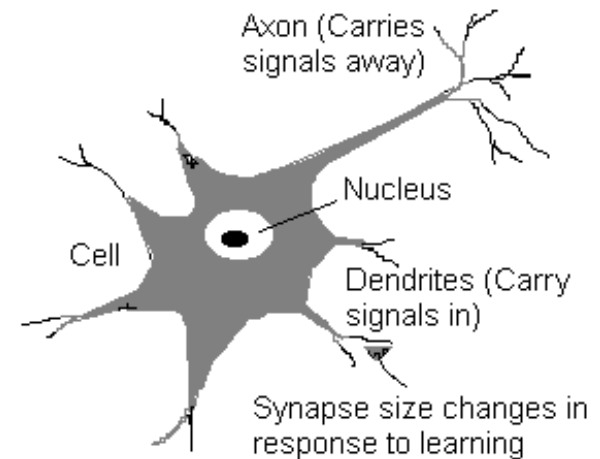
- What it is:

A collection of algorithms that are able to autonomously ‘learn’ or infer subtle patterns in data without being explicitly programmed to do so.

- What it is not:

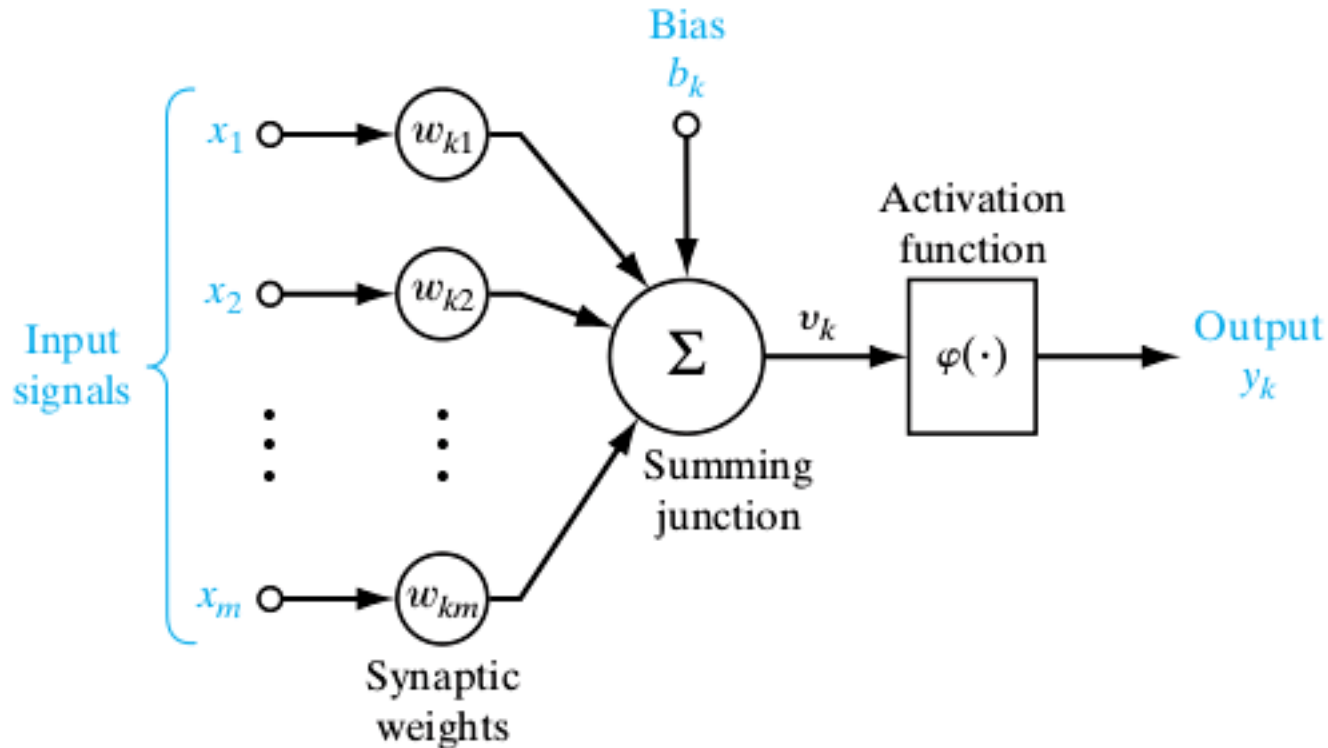
It is not a substitute for measurement, modeling, or physical understanding, e.g., “*The End of Theory: The Data Deluge Makes the Scientific Method Obsolete*, by Chris Anderson [WIRED, 2008/6]”. It acts as a complement, discerning patterns in large volumes of data that cannot be achieved with the naked eye.

Background on neural network models



- McCulloch and Pitts neuron model, 1943 “perceptron”
- Replicates biological neuron
- Uses a simple step thresholding function
- Problem with convergence of the learning rule (step discontinuity)

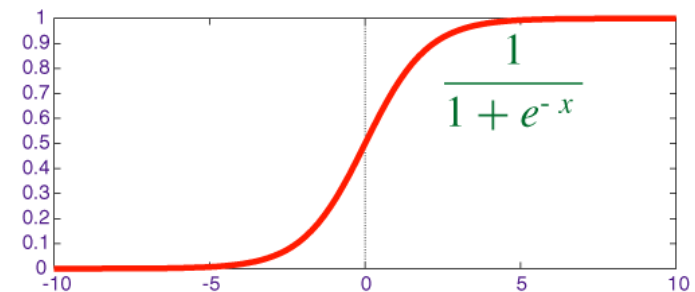
General neuron model



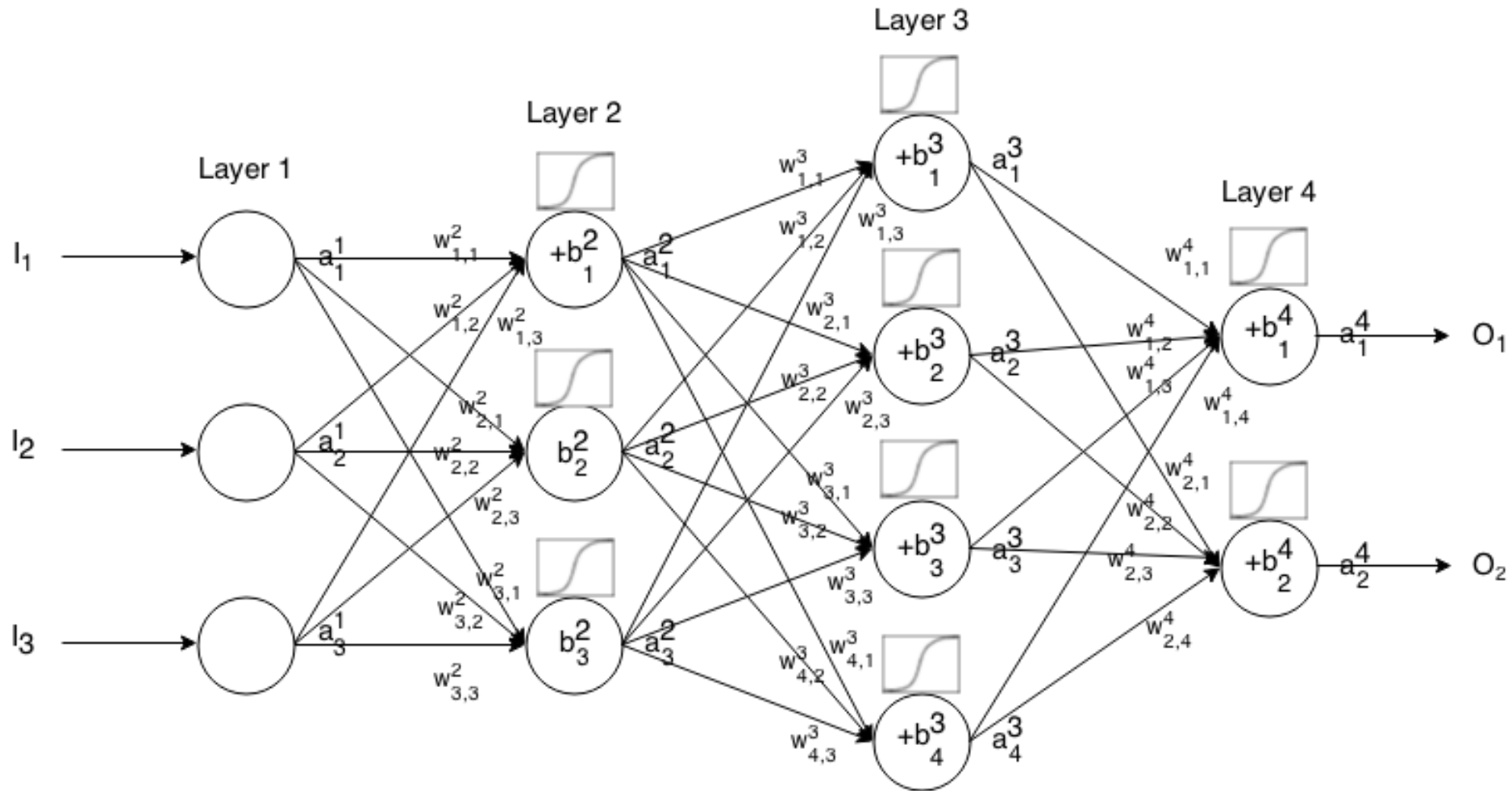
$$v_k = [b_k=1, x_1 \dots x_m][w_{k0} \dots w_{km}]^T$$

$$y_k = \Phi(v_k) = 1/(1 + \exp[-v_k])$$

Learning by gradient descent



Neuron “networks”



- Connect individual neurons together to form a network.