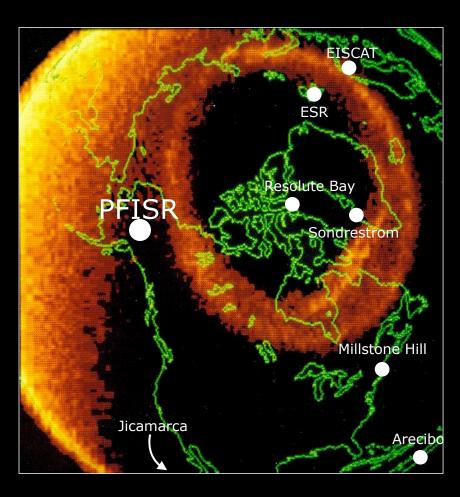


Joshua Semeter (co-Chair) Bill Bristow (co-Chair) John Meriwether David Hysell David Knudsen Donald Hampton Mark Conde Shasha Zou Jonathan Sparks Thomas Butler John Foster Miguel Larsen Jun Liang Larry Lyons Kathryn McWilliams Robert Michell Marilia Samara

Ingemar Haggstrom Johnathan Burchill Michael Nicolls Richard Collins Toshi Nishimura Tony van Eyken Robert Robinson Kristina Lynch Frederick Wilder Rich Behnke Antonius Otto Farzad Kamalabadi Syun-Ichi Akasofu Roger Smith Craig Heinselman

Poker Flat Incoherent Scatter Radar (PFISR)

Poker Flat, Alaska

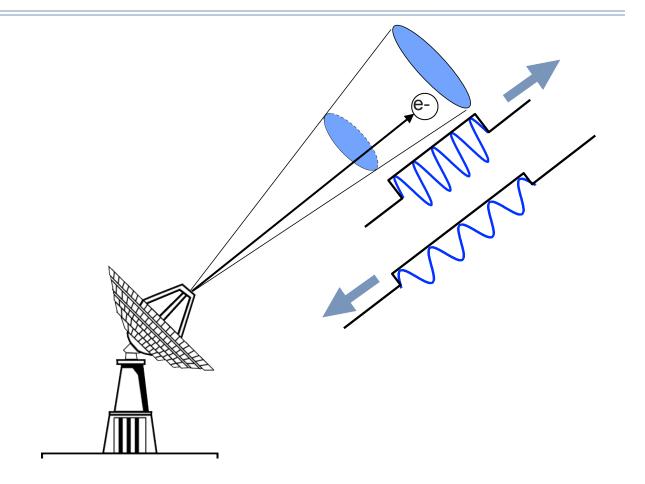




How does a Doppler radar work?

Two key concepts:

Distant Time
$$R = c\Delta t/2$$
 Velocity Frequency
$$v = -f_D \lambda_0/2$$



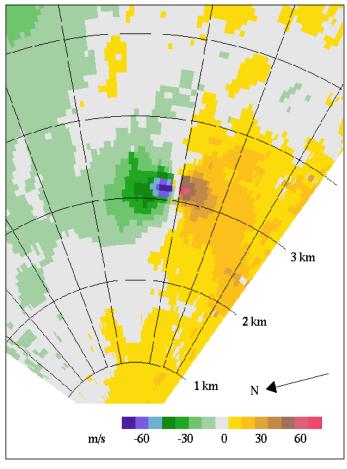
A Doppler radar measures backscattered power as a function range and velocity. Velocity is manifested as a Doppler frequency shift in the received signal.

How does a Doppler radar work?

Two key concepts:

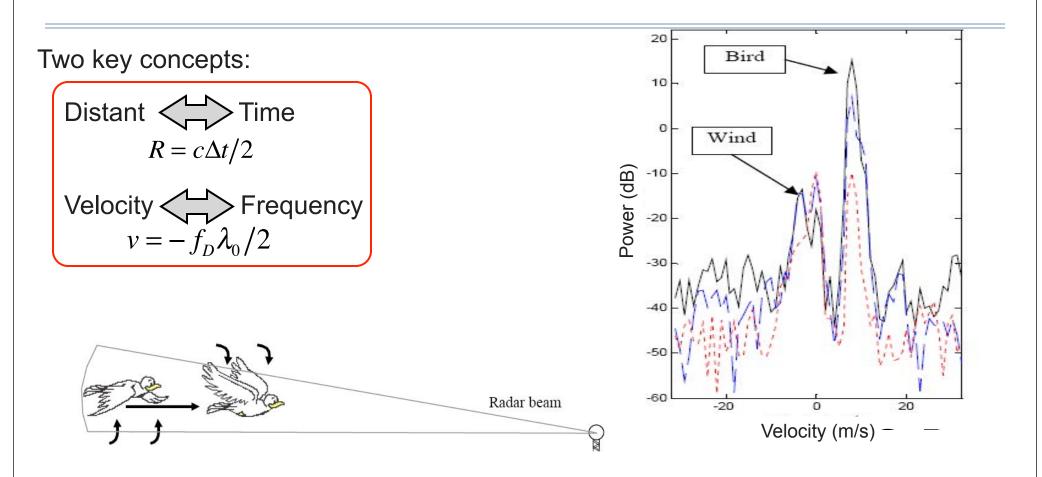
Distant Time
$$R = c\Delta t/2$$
 Velocity Frequency
$$v = -f_D \lambda_0/2$$





A Doppler radar measures backscattered power as a function range and velocity. Velocity is manifested as a Doppler frequency shift in the received signal.

How does a Doppler radar work?



If there is a distribution of targets moving at different velocities (e.g., electrons in the ionosphere) then there is no single Doppler shift but, rather, a Doppler spectrum.

What is the Doppler spectrum of the ionosphere at UHF (λ of 10 to 30 cm)?

Plasma simulation

Particle-in-cell (PIC):

$$\frac{d\mathbf{v}_i}{dt} = \frac{q_i}{m_i} (\mathbf{E}(\mathbf{x}_i) + \mathbf{v}_i \times \mathbf{B}(\mathbf{x}_i))$$

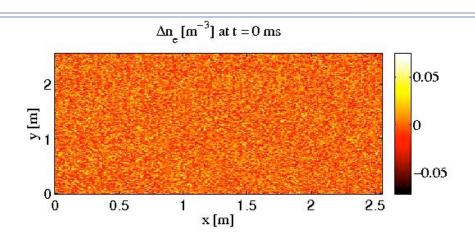
$$\nabla \times \mathbf{E} = \frac{-\partial \mathbf{B}}{\partial t}$$

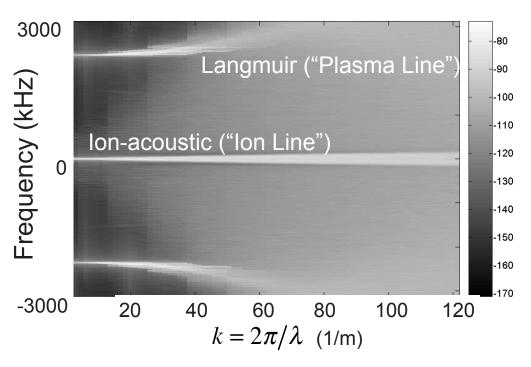
$$\nabla \times \mathbf{B} = \mu_0 \mathbf{J} + \frac{1}{c^2} \frac{\partial \mathbf{E}}{\partial t}$$

$$abla \cdot \mathbf{E} = rac{
ho}{\epsilon_0}$$

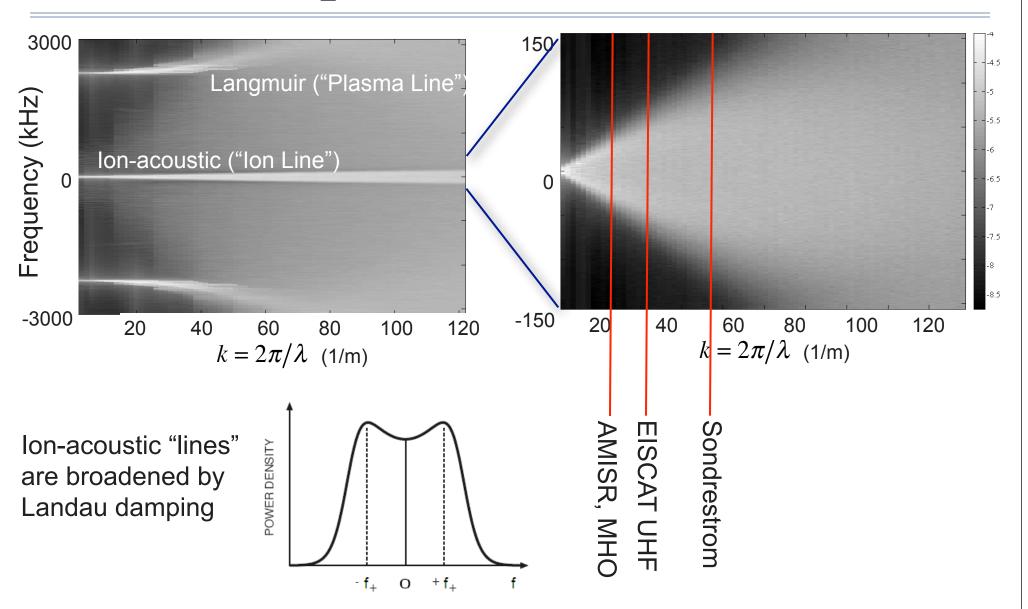
$$\nabla \cdot \mathbf{B} = 0$$

Simple rules yield complex behavior





ISR measures a cut through this surface at a particular wave number



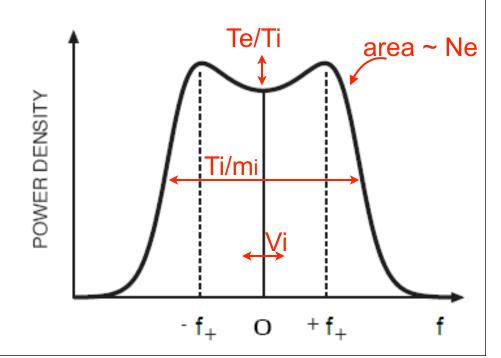
Exact expression for the radar cross section of the ionosphere at UHF

$$\sigma(\omega) = \frac{\left| 1 + \left(\frac{\lambda}{4\pi}\right)^{2} \sum_{i} \left(\frac{1}{D_{i}}\right)^{2} F_{i} (\omega) \right|^{2} \left| \overline{N_{e}^{0} (\omega)}^{2} + \left(\frac{\lambda}{4\pi D_{e}}\right)^{4} \left| F_{e} (\omega) \right|^{2} \sum_{i} \left| \overline{N_{i}^{0} (\omega)}^{2} \right|^{2}}{\left| 1 + \left(\frac{\lambda}{4\pi}\right)^{2} \left\{ \left(\frac{1}{D_{e}}\right)^{2} \cdot F_{e} (\omega) + \sum_{i} \left(\frac{1}{D_{i}}\right)^{2} F_{i} (\omega) \right\} \right|^{2}}$$

where:

$$F_{e}(\omega) = 1 - \omega \int_{o}^{\infty} \exp\left(-\frac{16\pi^{2} KT_{e}}{\lambda^{2} m_{e}}\tau^{2}\right) \sin(\omega \tau) d\tau$$
$$-j\omega \int_{0}^{\infty} \exp\left(-\frac{16\pi^{2} KT_{e}}{\lambda^{2} m_{e}}\tau^{2}\right) \cos(\omega \tau) d\tau$$

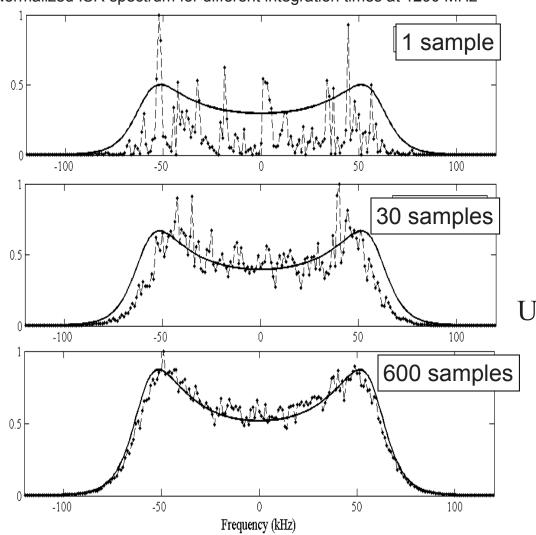
$$F(\omega) = 1 - \omega \int_{0}^{\infty} \exp\left(-\frac{16\pi^{2} KT_{i}}{\lambda^{2} m_{i}}\right)^{2} \sin(\omega \tau) d\tau$$
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From Evans, IEEE Transactions, 1969

Incoherent averaging

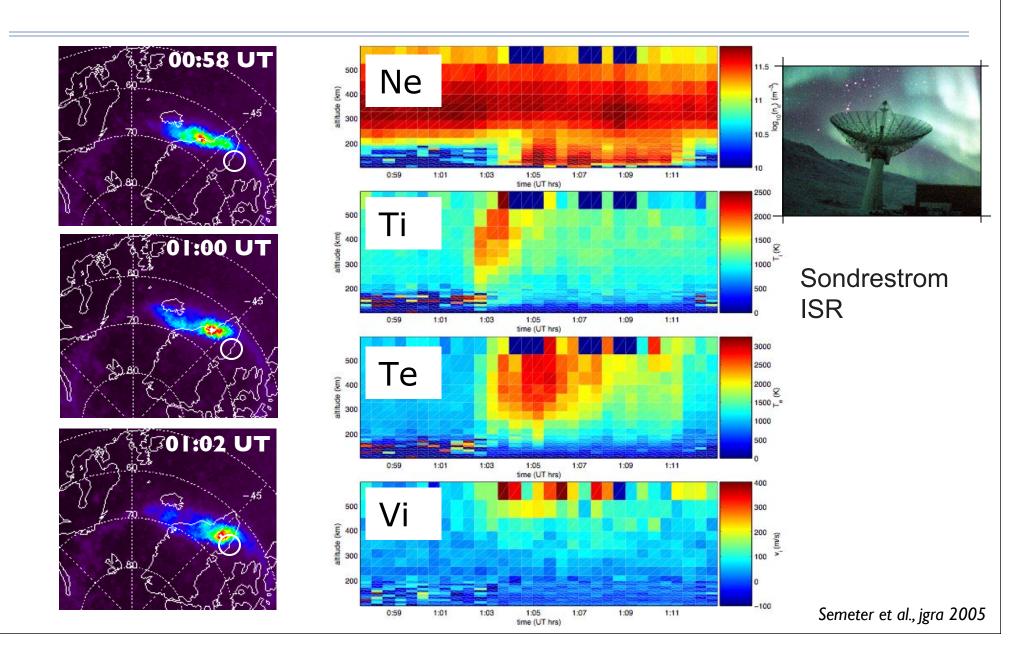
Normalized ISR spectrum for different integration times at 1290 MHz



We are seeking to estimate the power spectrum of a Gaussian random process. This requires that we sample and average many independent "realizations" of the process.

Uncertainties
$$\propto \frac{1}{\sqrt{\text{Number of Samples}}}$$

The auroral ionosphere



Dish Versus Phased-array

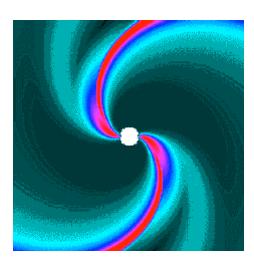




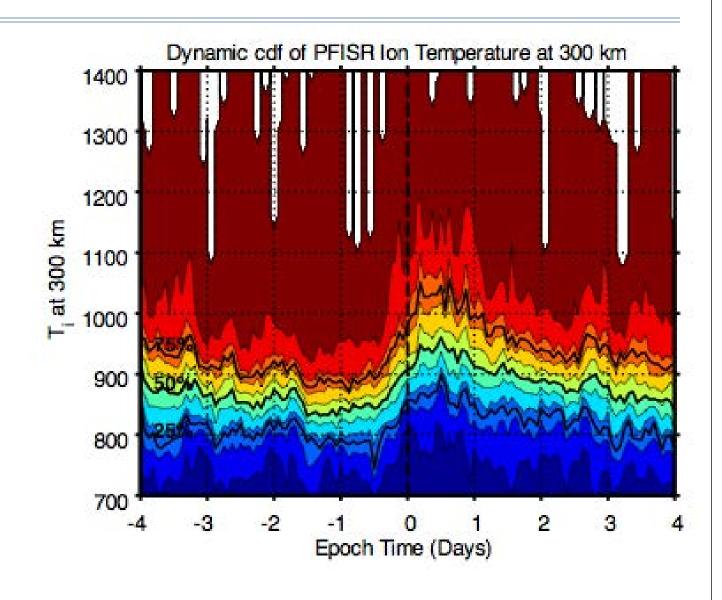
- -FOV: Entire sky
- -Integration at each position before moving
- -Power concentrated at Klystron
- -Significant mechanical complexity

- -FOV: +/- 15 degrees from boresight
- -Integration over all positions simultaneously
- -Power distributed
- -No moving parts

CIR heating of the auroral ionosphere

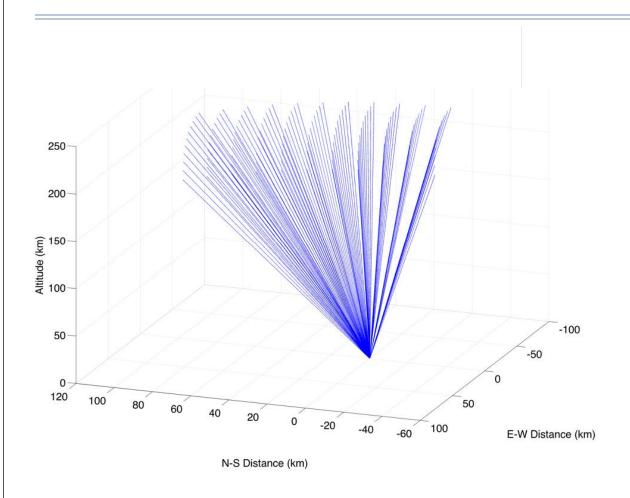


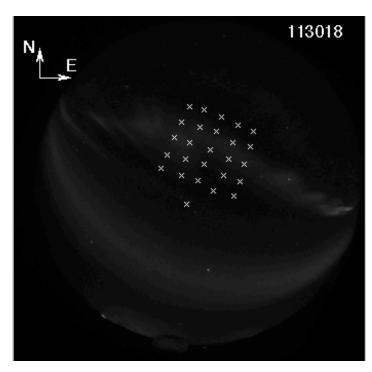
Corotating Interaction Region

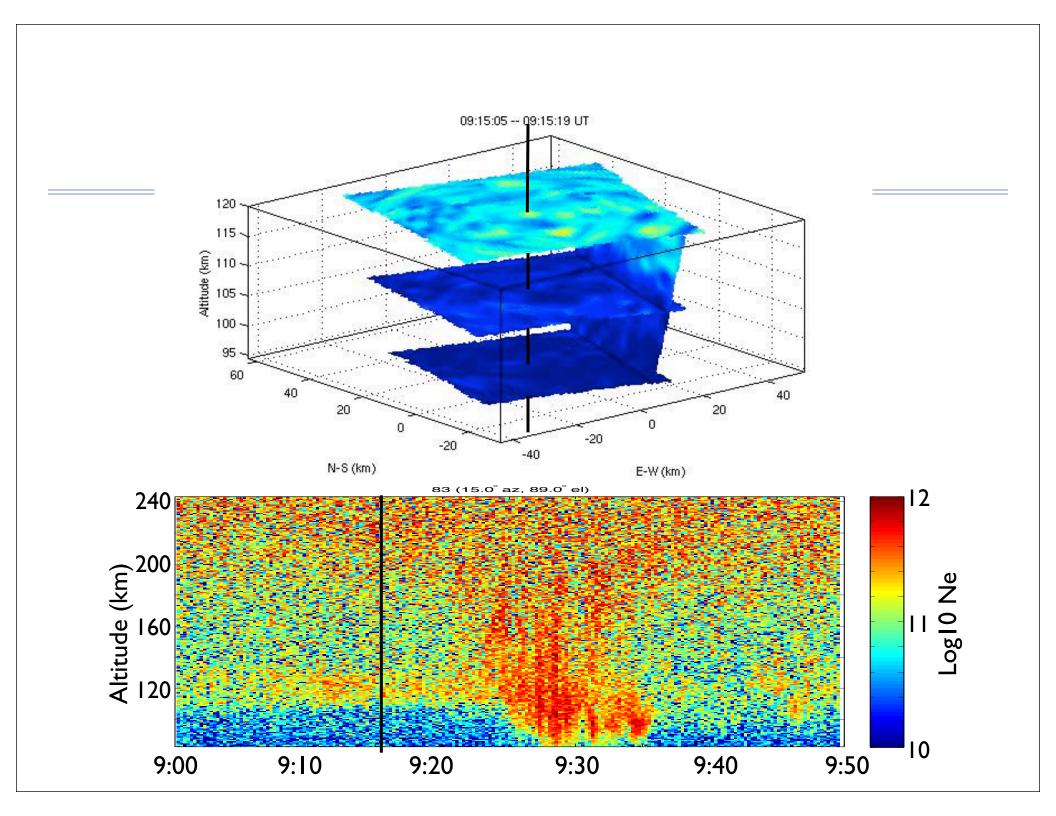


Sojka et al., GRL 2009.

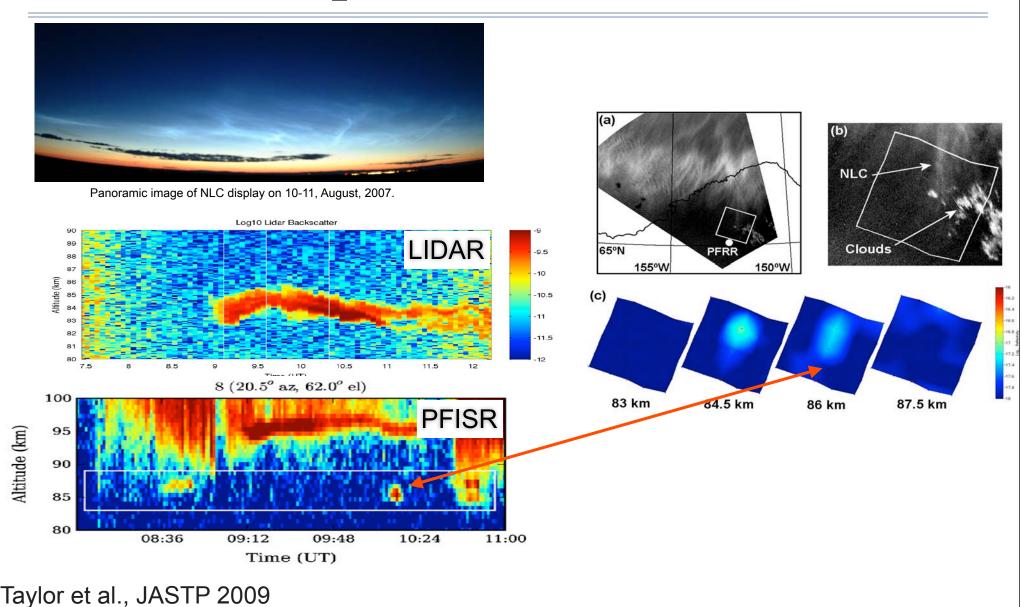
3-D imaging of auroral ionization



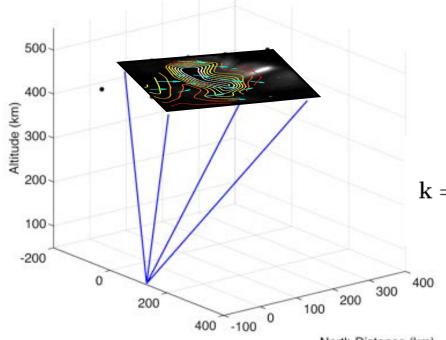


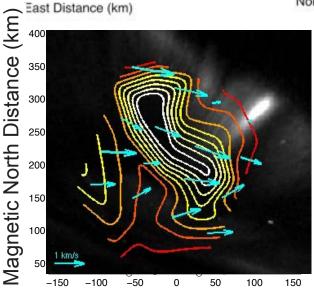


Multi-Instrument Measurements of Polar Mesospheric Clouds



2D Imaging of Convective Flows





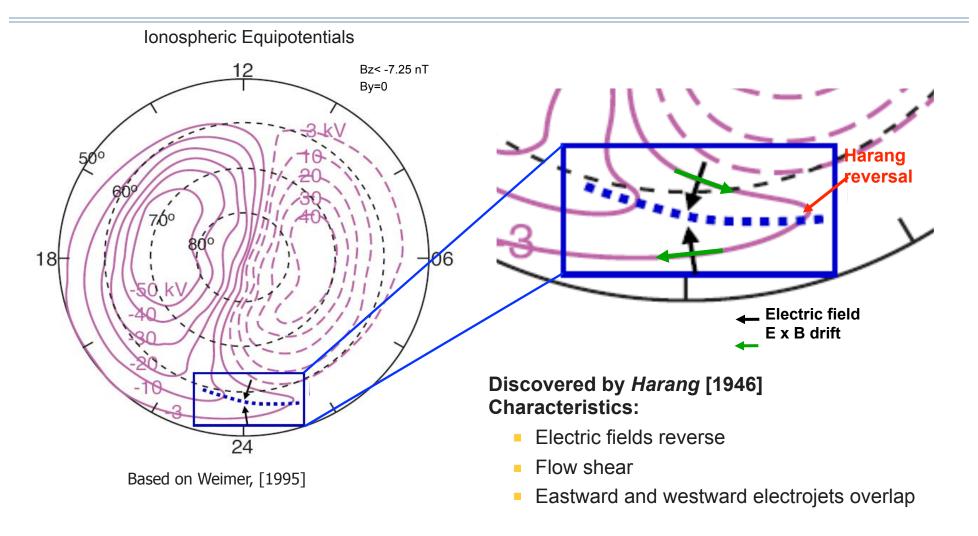
$$v_{los} = \mathbf{k} \cdot \begin{bmatrix} v_e & v_n & v_{\parallel} \end{bmatrix}^T$$

$$\mathbf{k} = \begin{bmatrix} \cos \theta \sin \phi \\ \cos \theta \cos \phi \\ \sin \theta \end{bmatrix}^T \begin{bmatrix} \cos \delta & \sin I \sin \delta \\ -\sin \delta & \cos \delta \sin I \\ 0 & \cos I & \sin I \end{bmatrix}$$

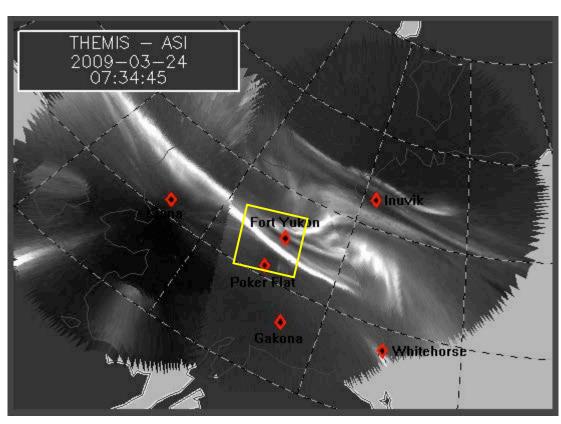
$$\begin{bmatrix} v_{los}^1 \\ v_{los}^2 \\ \vdots \\ v_{los}^i \\ \vdots \\ v_{los}^N \end{bmatrix} = \begin{bmatrix} \mathbf{k}^1 \\ \mathbf{k}^2 \\ \vdots \\ \mathbf{k}^i \end{bmatrix} \mathbf{v} + \begin{bmatrix} e_{los}^1 \\ e_{los}^2 \\ \vdots \\ e_{los}^i \\ \vdots \\ e_{los}^N \end{bmatrix}$$

$$\mathbf{v}_{los} = A\mathbf{v} + \mathbf{e}_{los}$$

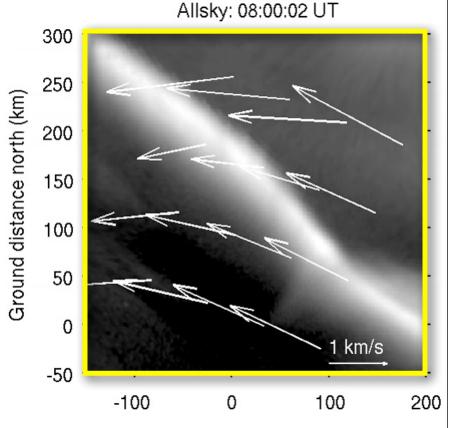
The Harang Reversal Region and Substorm Onset



Dynamic 2D flow fields and auroral forms



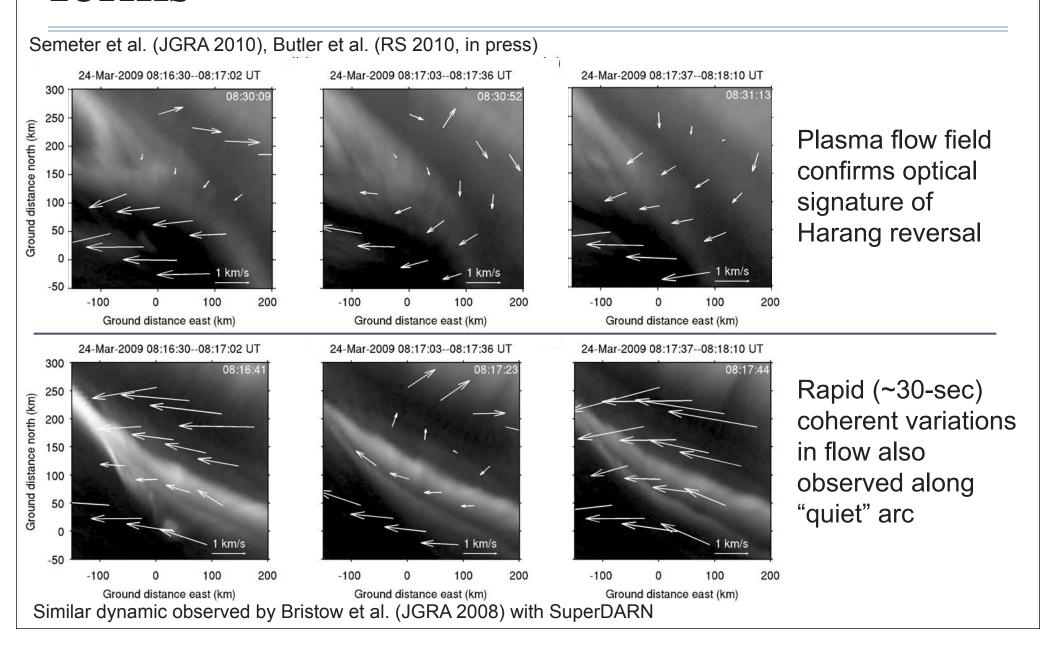
Courtesy Emma Spanswick and Eric Donovan



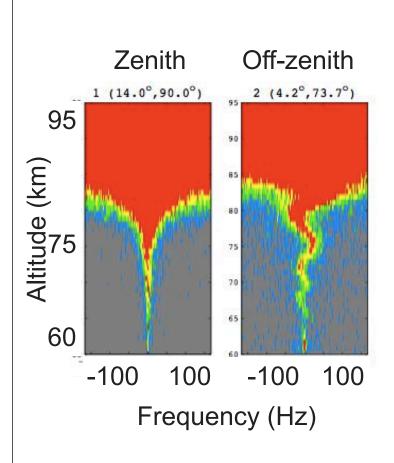
Zou et al., JGRA 2009; Lyons et al., JASTP 2009

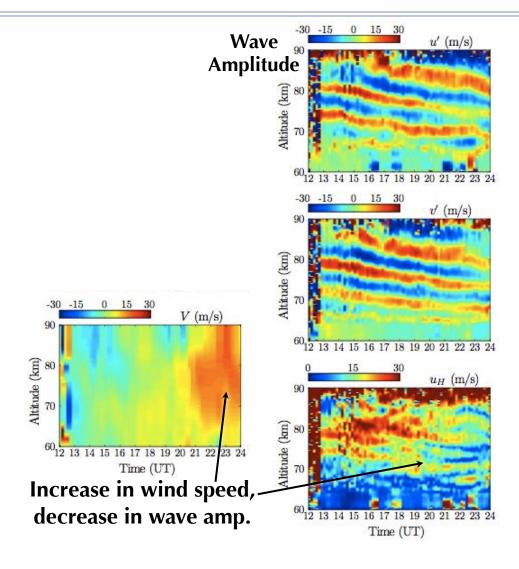
Butler et al., RS 2010

Dynamic 2D flow fields and auroral forms

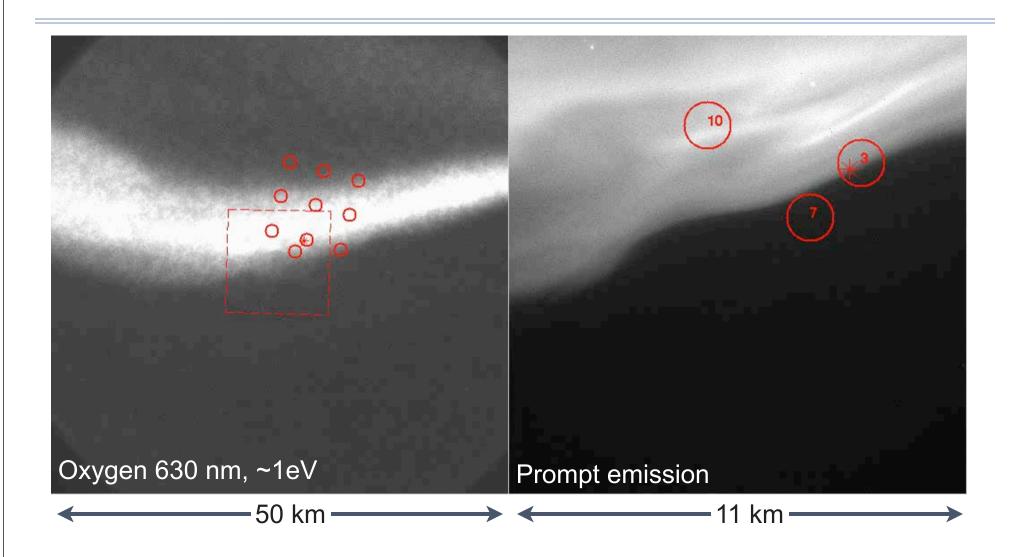


PFISR Measurements of Winds and Waves in the D region

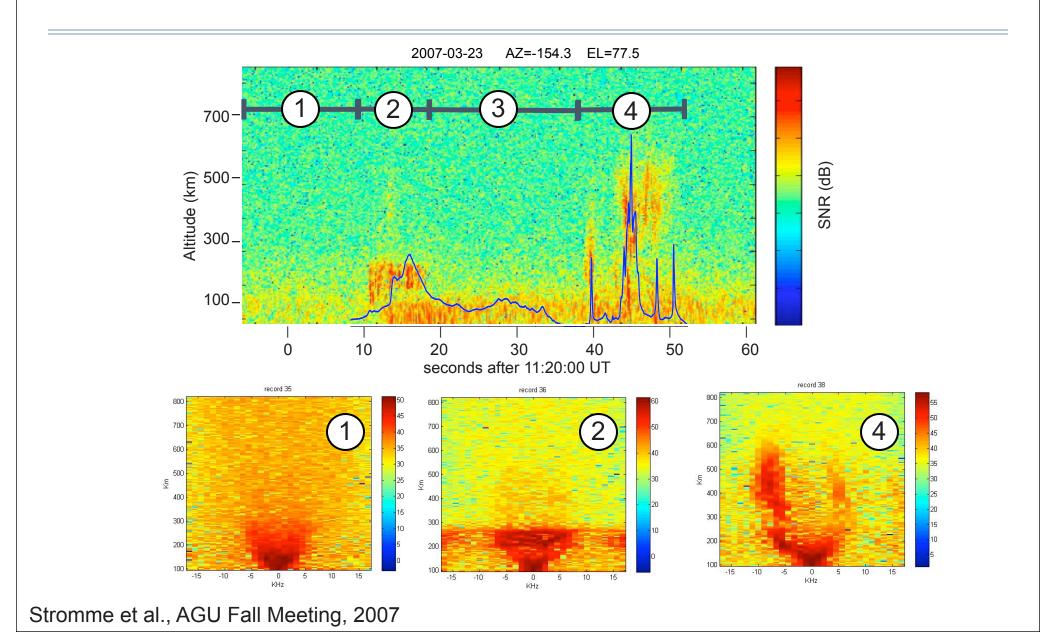




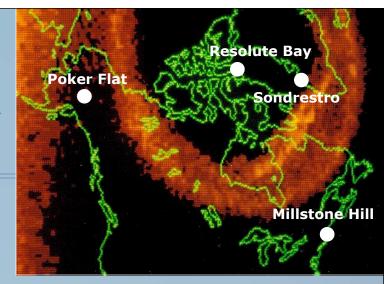
Low altitude ionospheric turbulence



Non-thermal plasma

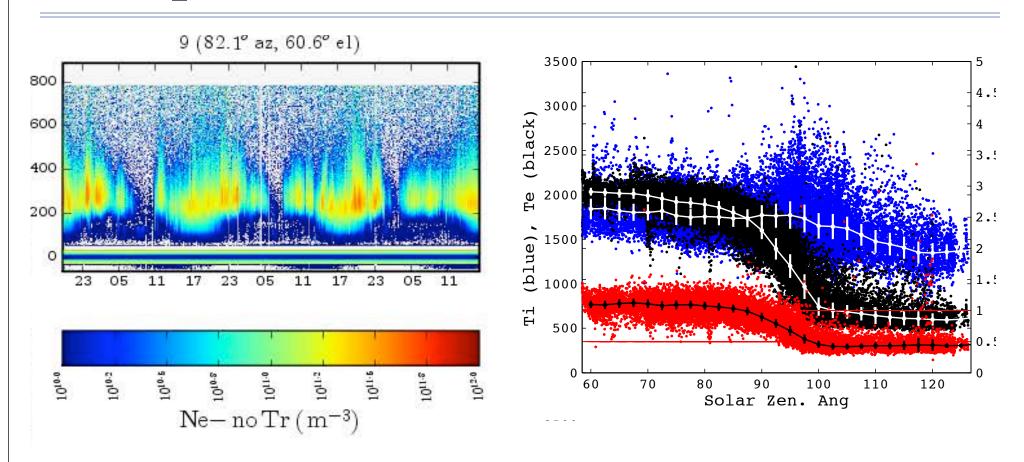


RISR: Resolute Bay ISR



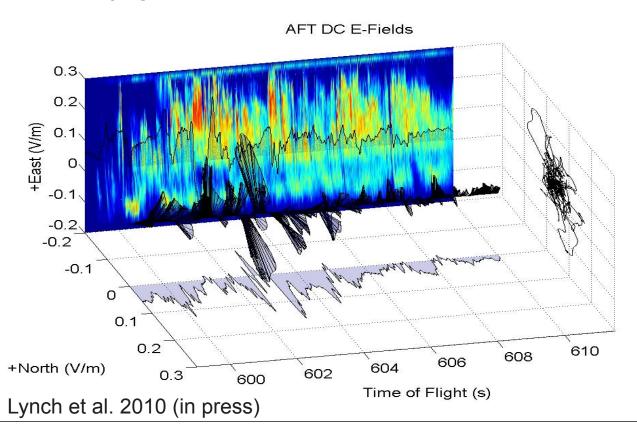


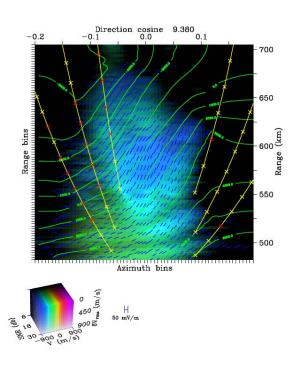
RISR: An initial look at the polar cap ionosphere



What has yet to be done

- Radar mode development
- Assimilation with ancillary diagnostics
- Conjugate studies with satellites and rockets





Hysell et al, Ann. Geophys. 2008

