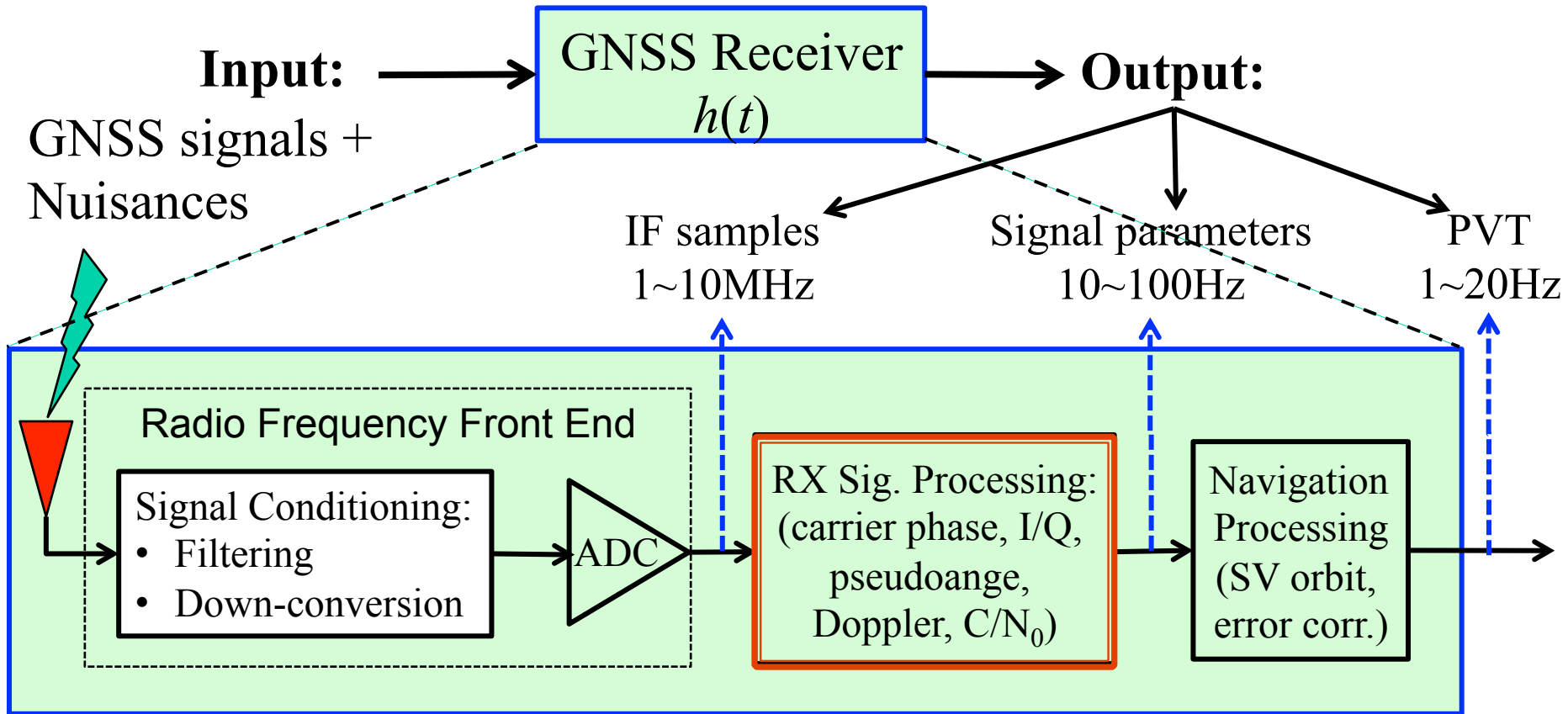

Ionosphere Remote Sensing Using GNSS Signals

Jade Morton

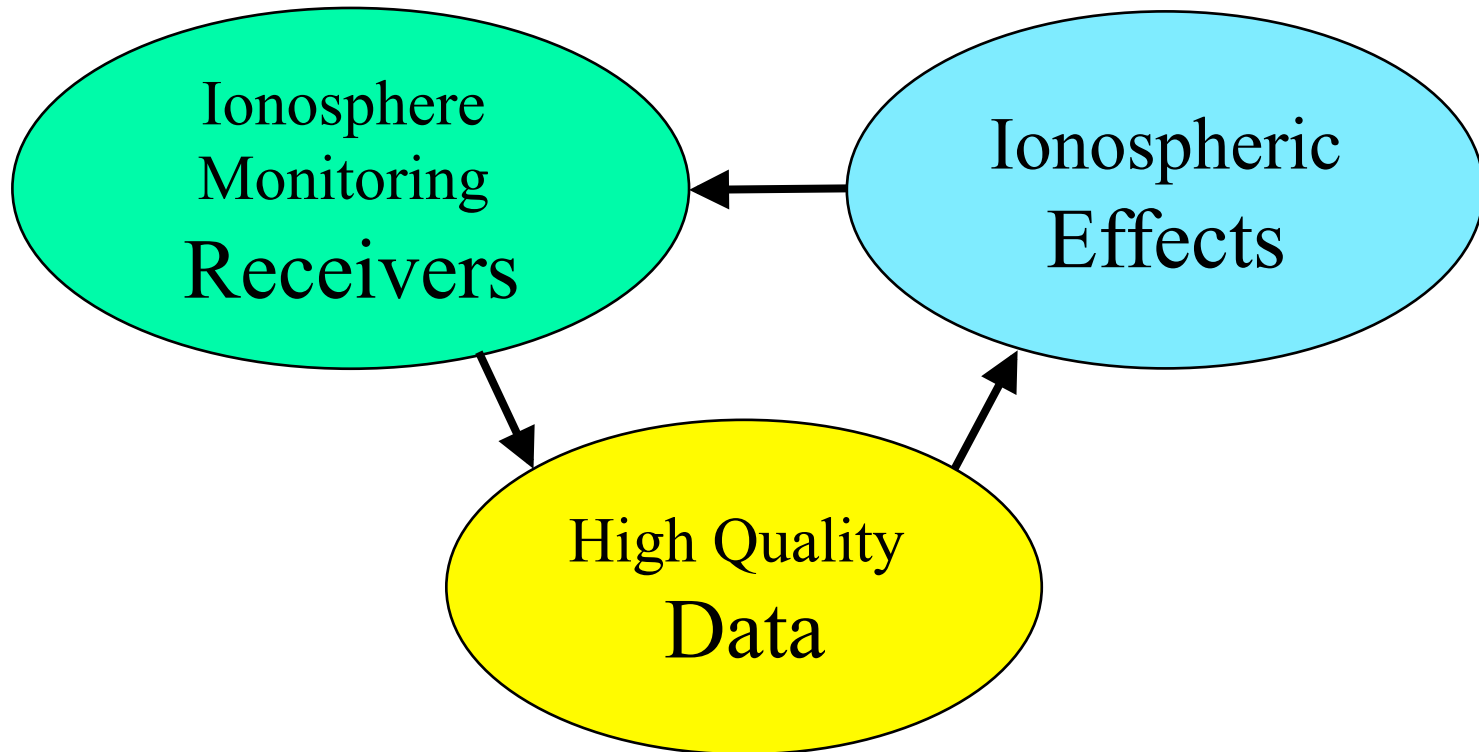
**Department of Electrical and Computer Engineering
Colorado State University**

GNSS Receiver: Designed for Navigation

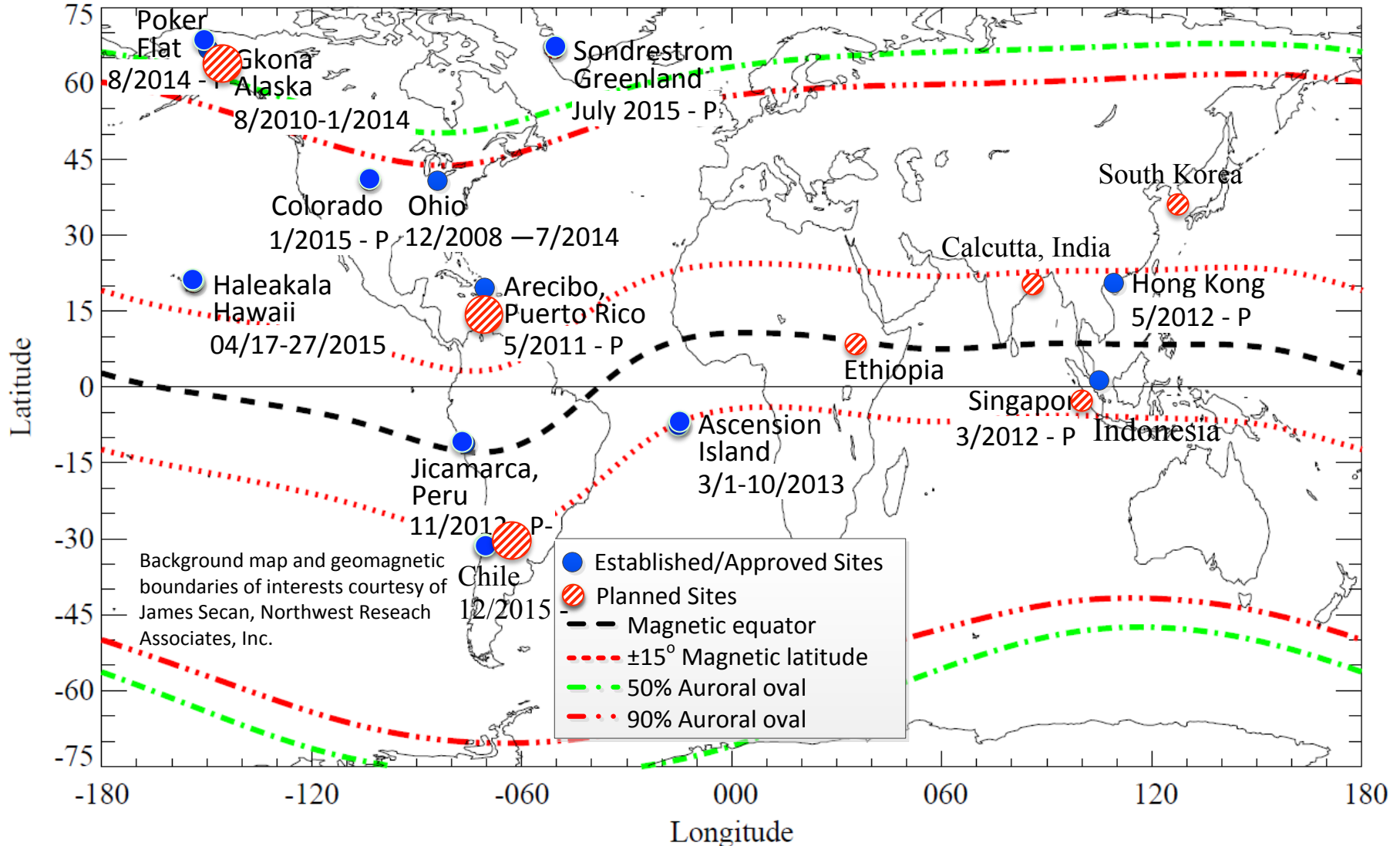


~~$(Signals + Nuisances) \times h(t) = Output$~~

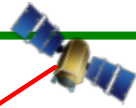
GNSS Remote Sensing Cycle



Data Collection Systems Deployment



E-DAS: Event-driven Data Acquisition System



Space Weather Events

Data Center at Home Institution

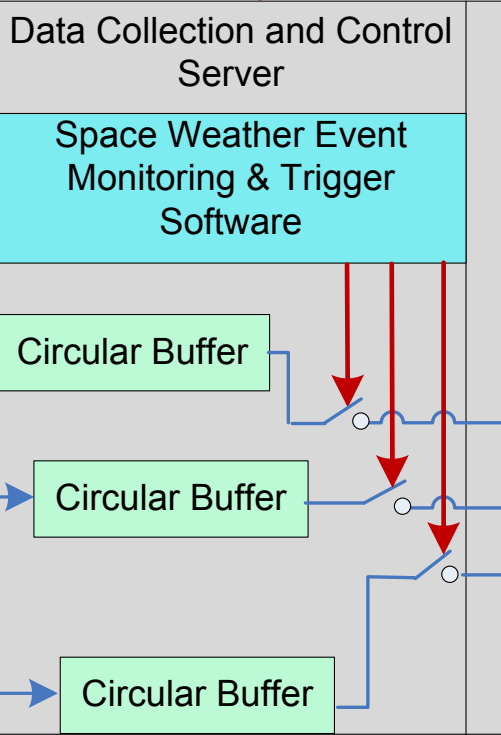
Internet

VPN

GNSS Algorithm Development

Advanced Receiver Signal Processing Algorithm Library

Ionosphere Space Weather Studies



Commercial ISM Receiver

RF Front End 1
All Sat Nav Open Signals Remote Reconfigurable
RF Front End N

Data Storage

Challenges/Questions

1. How to maintain lock of signals during strong scintillation?
2. How to design receivers to accurately capture ionosphere scintillation signatures?
3. How to interpret ionosphere states and processes from GNSS measurements?
4. How to improve navigation solutions accuracy and robustness during ionospheric scintillation?
- 5. How to correctly compute TEC during scintillation?**

TEC 101

Pseudorange: $\rho_1 = r + \delta r + B_1 + I_1 + M_{\rho_1} + \varepsilon_{\rho_1}$

$$\rho_2 = r + \delta r + B_2 + I_2 + M_{\rho_2} + \varepsilon_{\rho_2}$$

Dual frequency difference: $\Delta\rho = \Delta I + \Delta B + \Delta M + \Delta\varepsilon$

If: $\Delta M, \Delta\varepsilon \approx 0, \Delta B$ can be estimated $\longrightarrow \Delta\rho - \Delta B = \Delta I$

Since: $I_f = \frac{40.3TEC}{f^2} \longrightarrow \Delta I = \frac{1}{\beta} \times TEC$

$$TEC = \beta \times (\Delta\rho - \Delta B)$$

Pseudorange-based TEC estimation

But $\Delta M, \Delta \varepsilon \neq 0$

Carrier phase: $\phi_1 = r + \delta r + B_1 - I_1 + N_1 \lambda_1 + \cancel{M_{\phi_1}} + \cancel{\varepsilon_{\phi_1}}$
 $\phi_2 = r + \delta r + B_2 - I_2 + N_2 \lambda_2 + \cancel{M_{\phi_2}} + \cancel{\varepsilon_{\phi_2}}$

Code-Minus-Carrier observables:

$$CMC_1 = \rho_1 - \phi_1 - \alpha_1(\phi_1 - \phi_2) = \boxed{M_{\rho_1} + \varepsilon_{\rho_1}} + b_1$$

$$CMC_2 = \rho_2 - \phi_2 - \alpha_2(\phi_1 - \phi_2) = \boxed{M_{\rho_2} + \varepsilon_{\rho_2}} + b_2$$

$$\alpha_1 = \frac{2f_2^2}{f_2^2 - f_1^2}$$

$$\alpha_2 = \frac{2f_1^2}{f_2^2 - f_1^2}$$

Multipath & receiver noise can be estimated using these observables to correct pseudoranges:

$$\rho_1 = r + \delta r + B_1 + I_1 + \boxed{M_{\rho_1} + \varepsilon_{\rho_1}}$$

$$\rho_2 = r + \delta r + B_2 + I_2 + \boxed{M_{\rho_2} + \varepsilon_{\rho_2}}$$

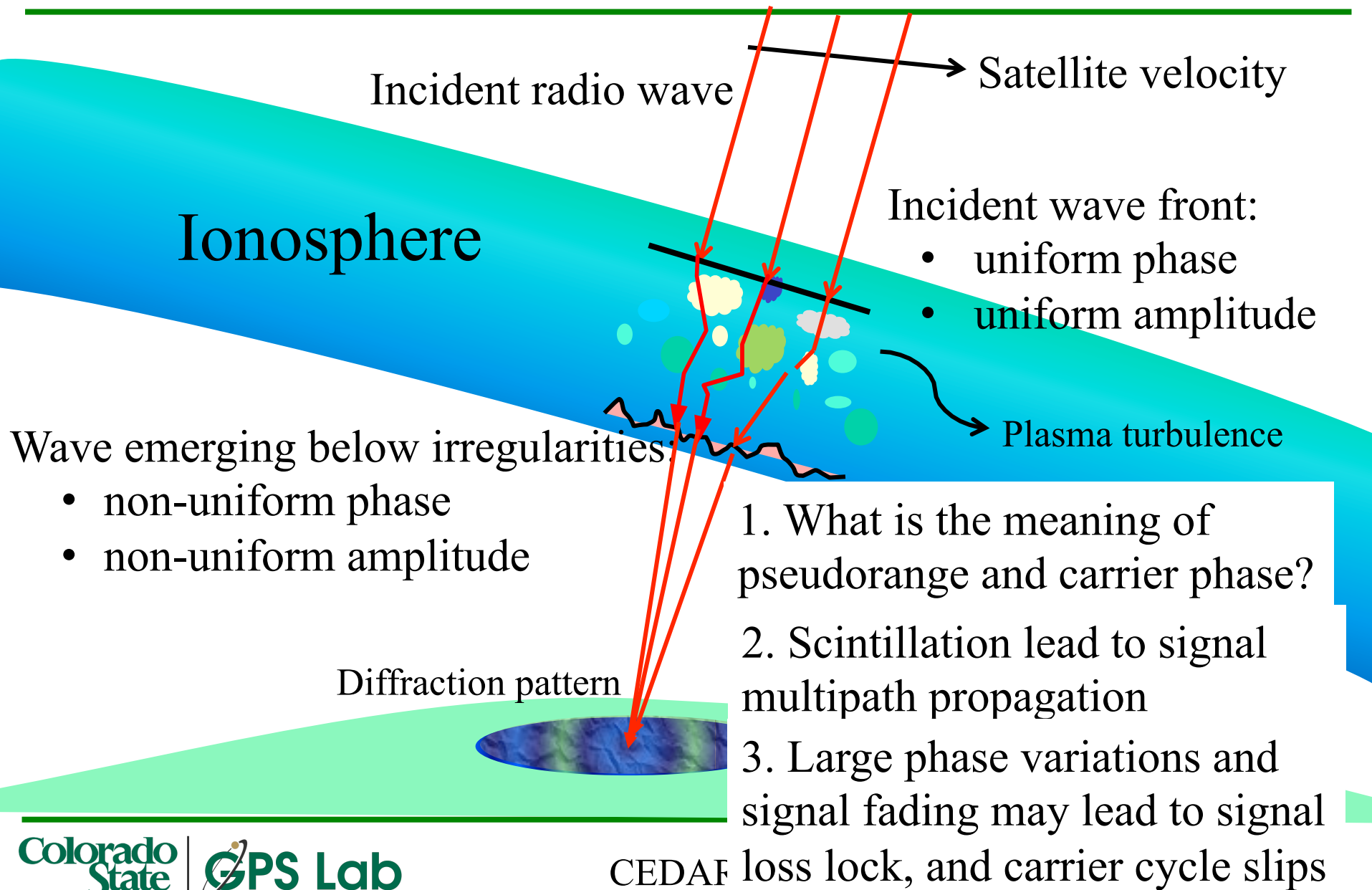
$$\rho_{1c} = \rho_1 - M_{\rho_1} - \varepsilon_{\rho_1} = r + \delta r + B_1 + I_1$$

$$\rho_{2c} = \rho_2 - M_{\rho_2} - \varepsilon_{\rho_2} = r + \delta r + B_2 + I_2$$

Pseudorange-corrected TEC

$$TEC = \beta \times (\Delta \rho_c - \Delta B)$$

Why Is it Difficult to Estimate TEC During Scintillation?



To Make Things More Complicated: There Are Different Measurement Types

L1: Civil signal

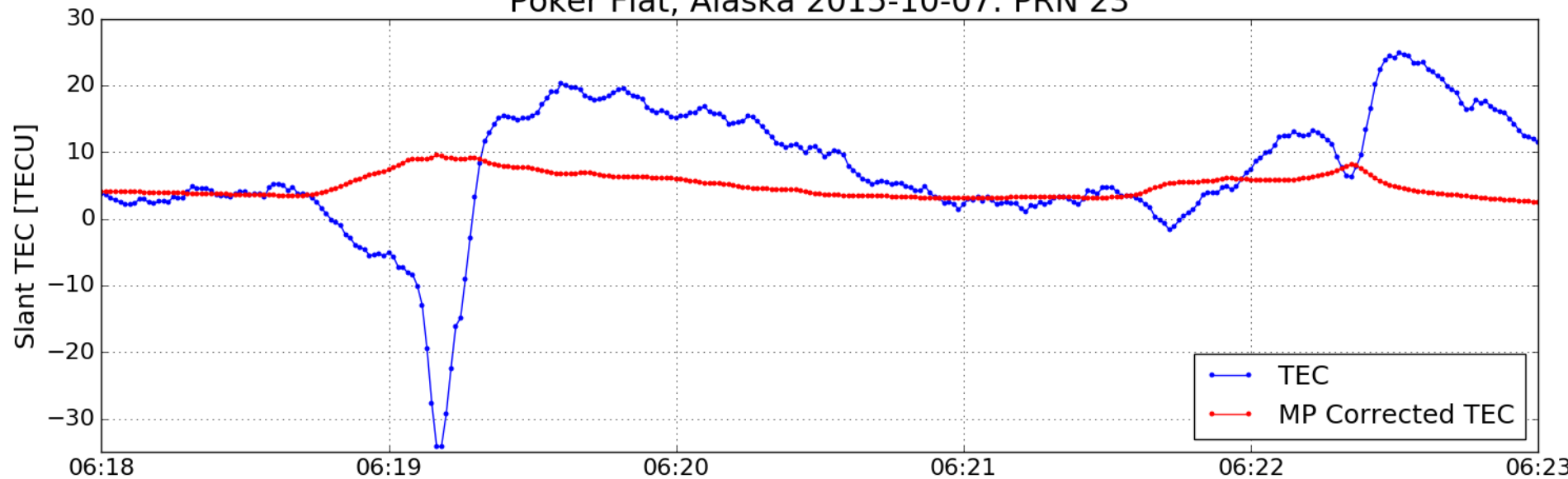
L2C: Civil signal. Only for satellites launched after 2005.

L2P: Protected signals. On all GPS satellites

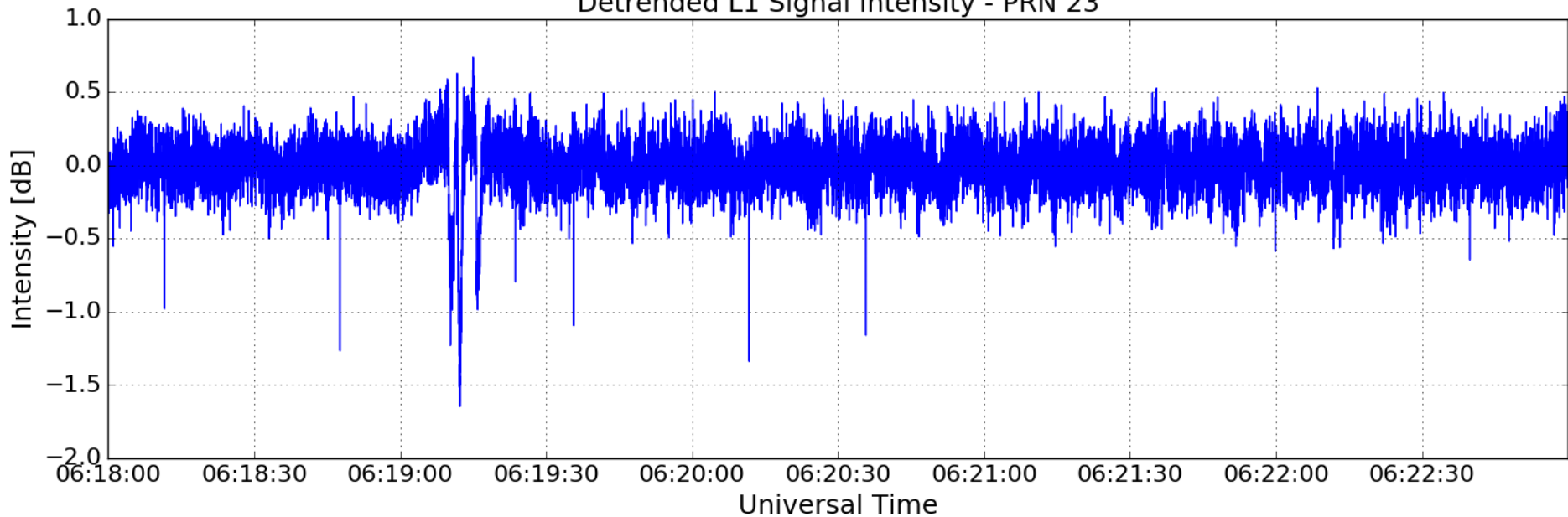
- We do not have knowledge of its code modulation
- Lower signal power
- Carrier tracking is aided by L1 channel

TEC Calculation Across Auroral

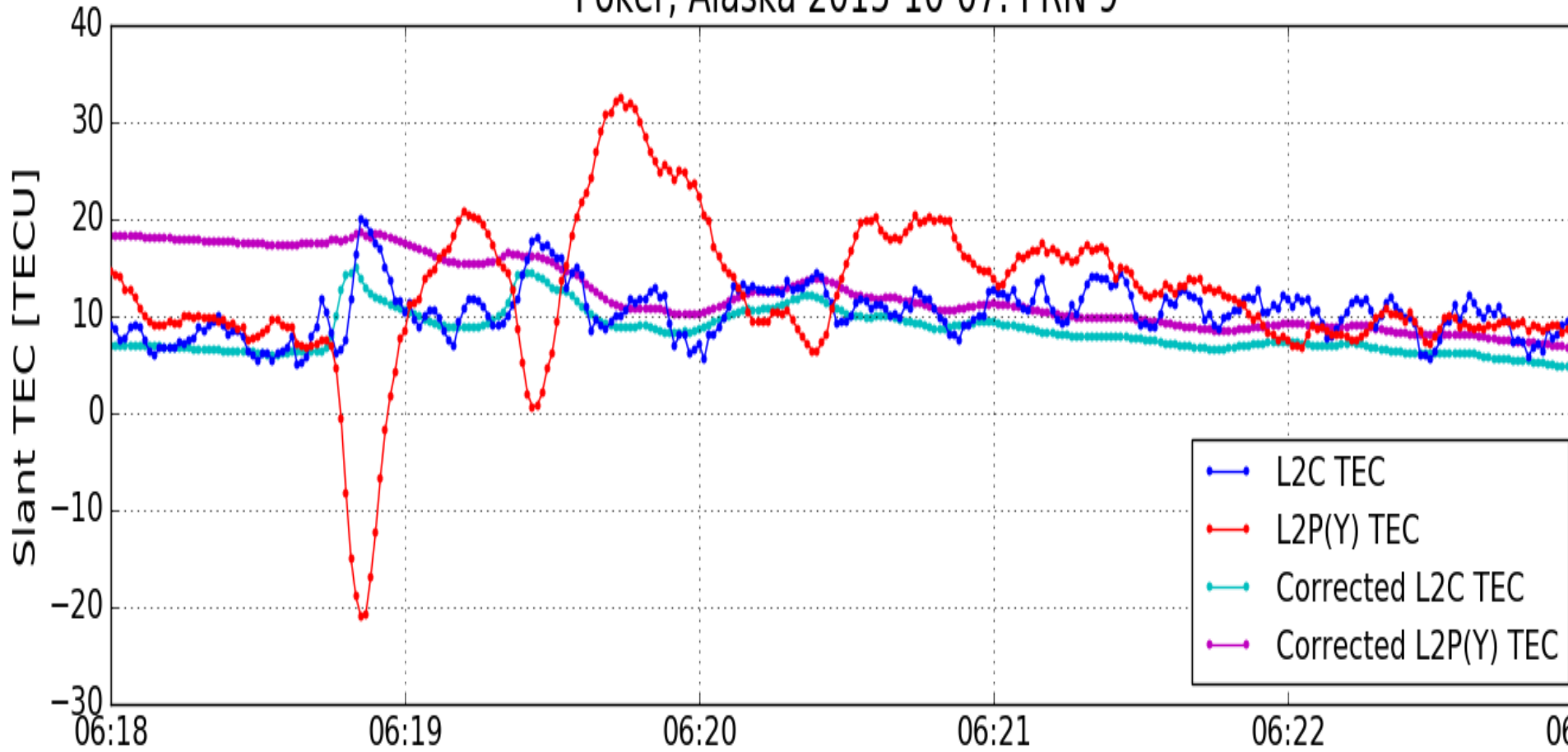
Poker Flat, Alaska 2015-10-07: PRN 23



Detrended L1 Signal Intensity - PRN 23



Poker, Alaska 2015-10-07: PRN 9



Conclusions

- Should try to use L2C whenever possible!
- Always correct multipath from pseudorange measurements!

But, Are we really computing TEC
using the conventional method?

Be careful
when interpreting your GPS receiver measurements